



# Interstellar Medium (ISM)

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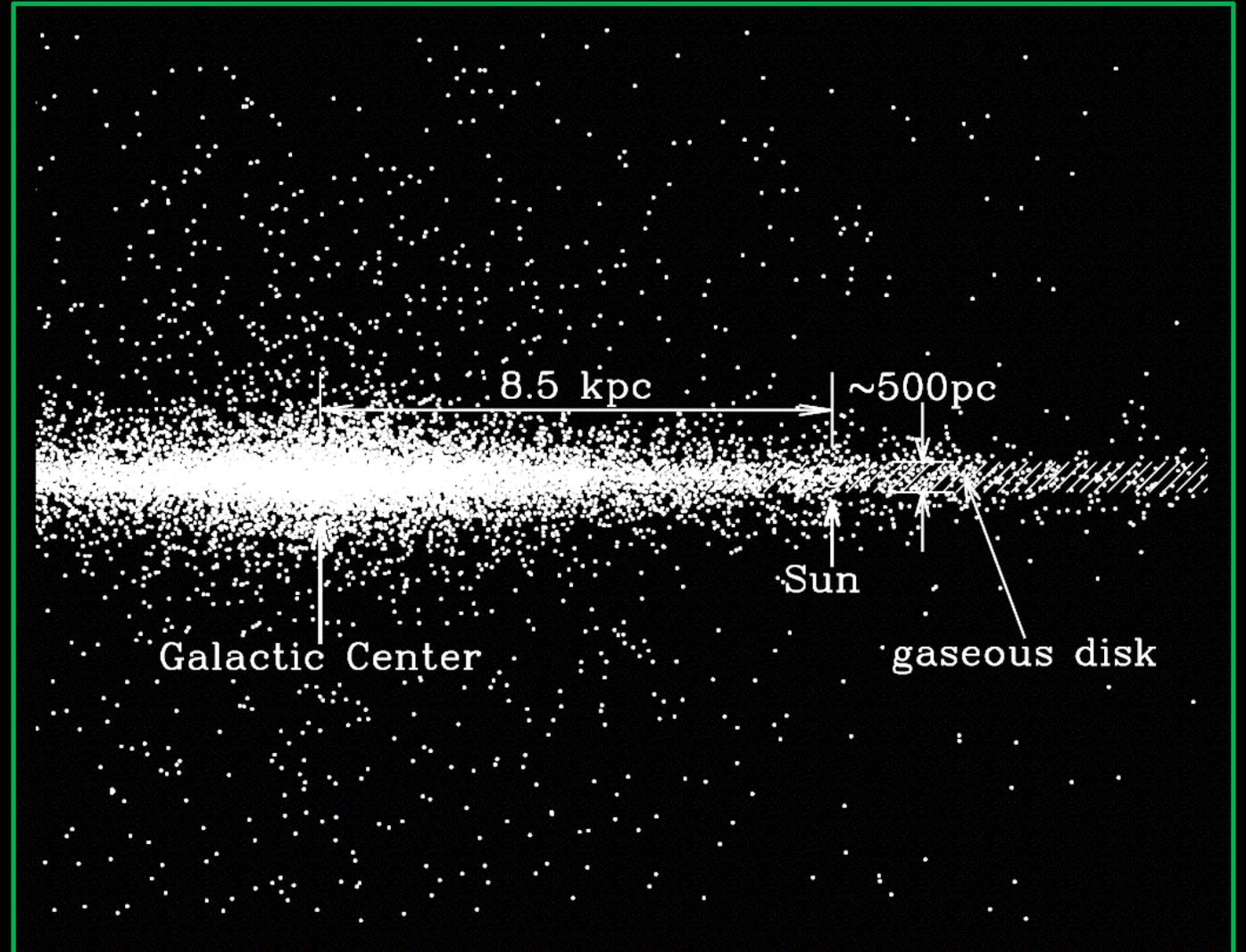
National Taiwan University

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ASIAA summer student program

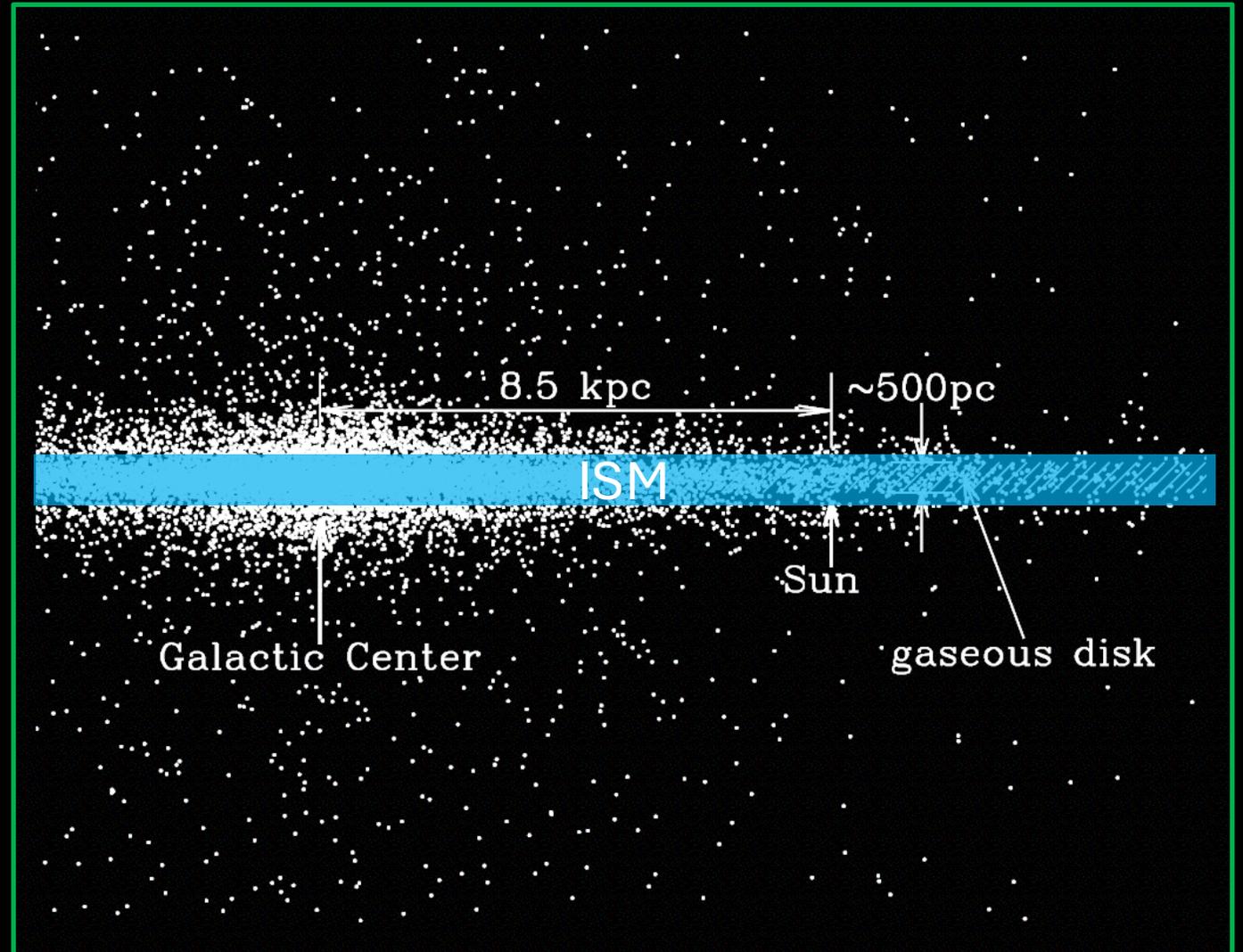
# Interstellar medium is everything not in stars

- Galaxies are made of stars...



# Interstellar medium is everything not in stars

- Galaxies are made of stars...  
AND the **interstellar medium!**
- The ISM is a mixture of **gas**, **dust**, and **radiation** distributed between the stars in a galaxy.

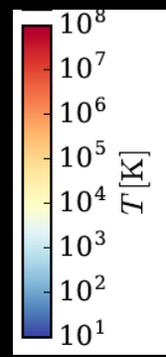
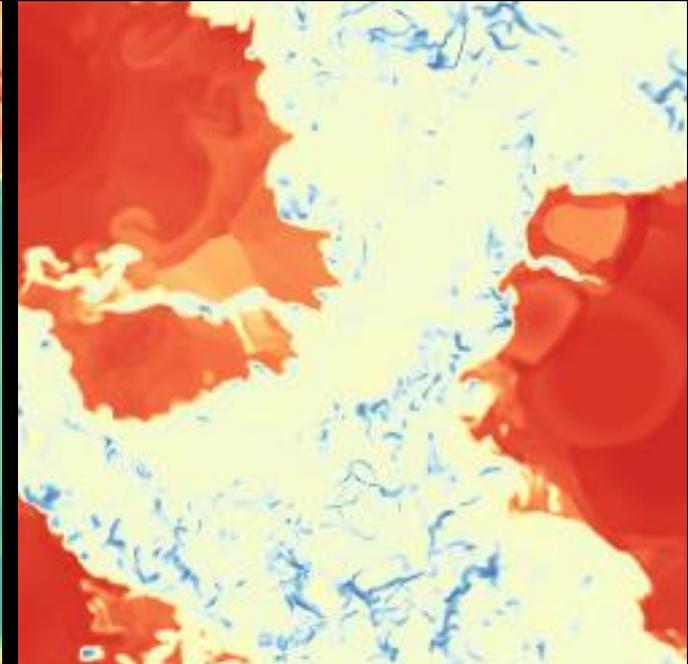
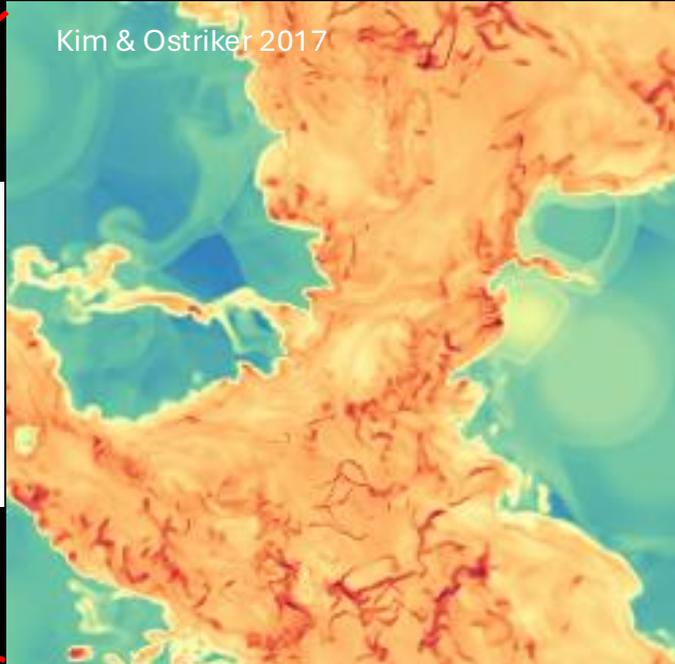
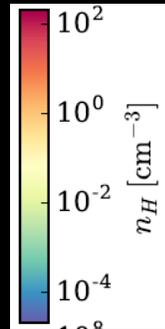
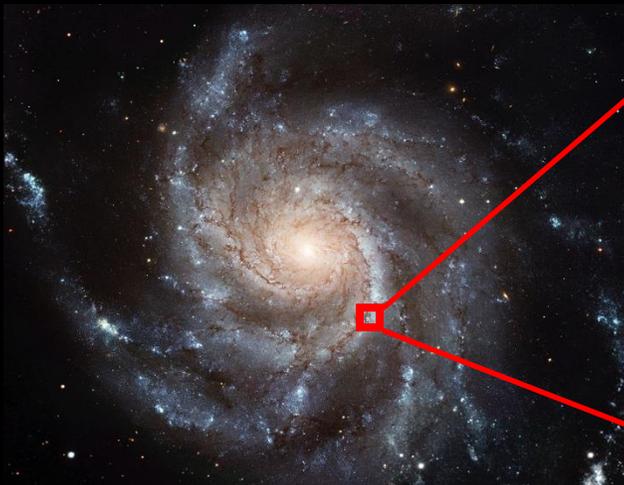


# The Multiphase ISM

Five phases of ISM:

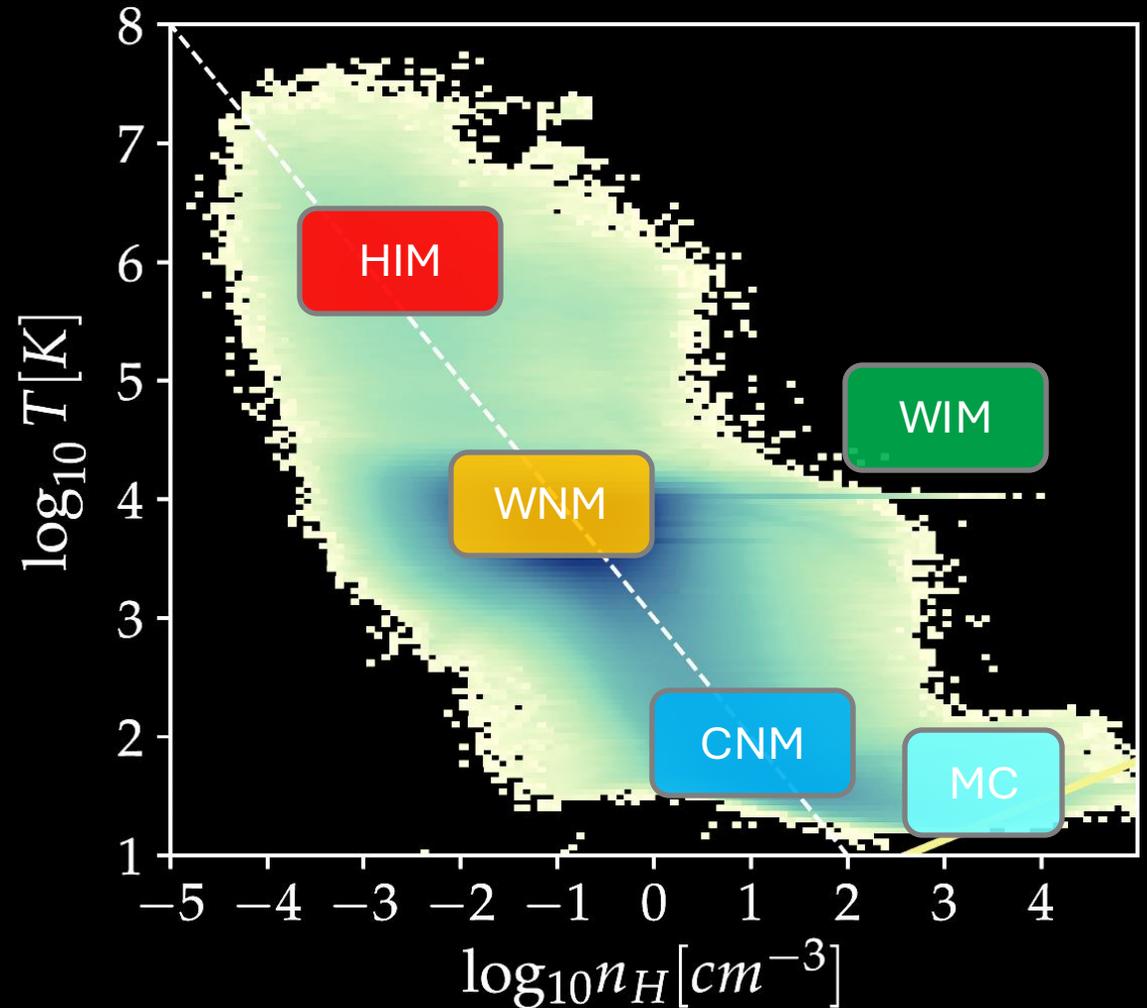
1. Warm neutral medium (WNM)
2. Cold neutral medium (CNM)
3. Hot ionized medium (HIM)
4. Warm ionized medium (WIM)
5. Molecular cloud (MC)

	MM	CNM	WNM	WIM	HIM
$n$ ( $\text{cm}^{-3}$ )	$10^2 - 10^5$	4-80	0.1-0.6	$\approx 0.2 \text{ cm}^{-3}$	$10^{-3} - 10^{-2}$
$T$ (K)	10-50	50-200	5500-8500	$\approx 8000$	$10^6 - 10^7$
$h$ (pc)	$\approx 70$	$\approx 140$	$\approx 400$	$\approx 900$	$\geq 1 \text{ kpc}$
$f_{\text{volume}}$	$< 1\%$	$\approx 2-4\%$	$\approx 30\%$	$\approx 20\%$	$\approx 50\%$
$f_{\text{mass}}$	$\approx 20\%$	$\approx 40\%$	$\approx 30\%$	$\approx 10\%$	$\approx 1\%$



# Multiphase ISM on a phase diagram

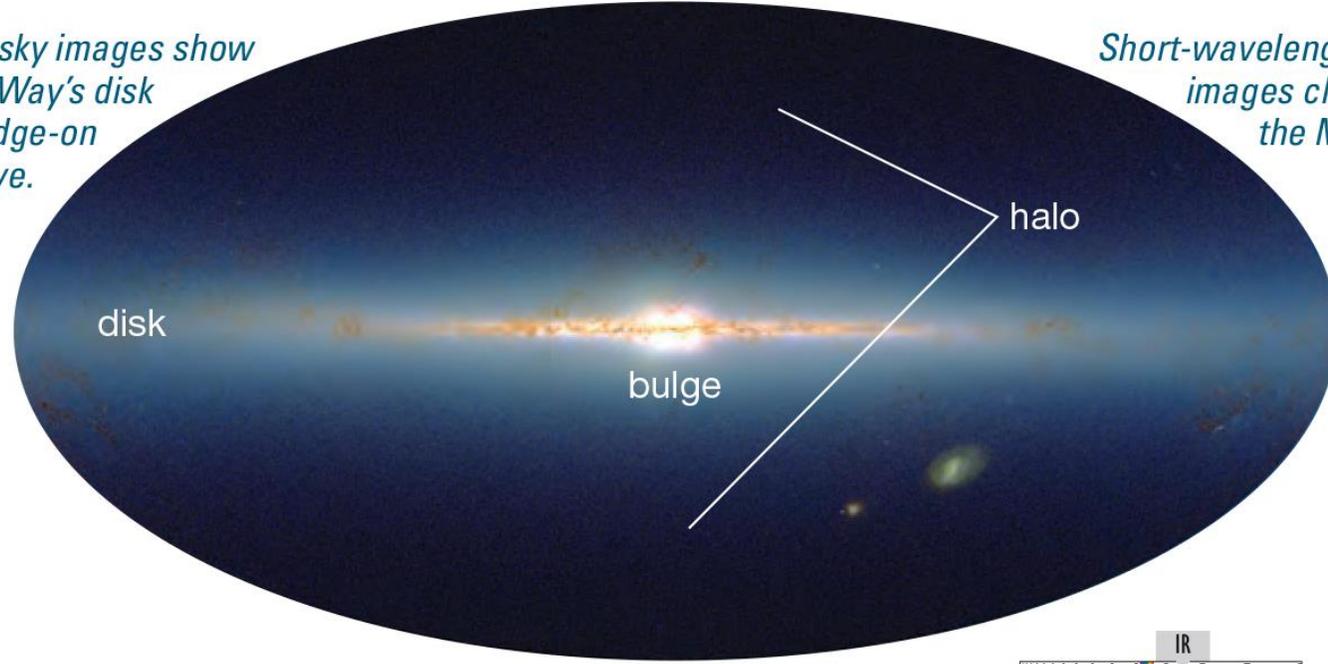
- The **CNM**, **WNM**, and **HIM** are roughly in **pressure equilibrium** ( $nT = \text{constant}$ ).  
-> the classical three-phase ISM model
- **MC** and **WIM** are over-pressurized.



# JWST Image of a nearby spiral galaxy (M74)

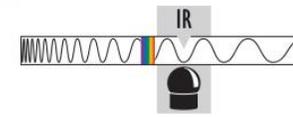


*These all-sky images show the Milky Way's disk from an edge-on perspective.*



*Short-wavelength infrared images clearly show the Milky Way's starlight.*

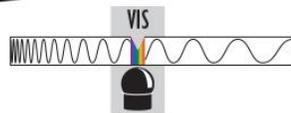
infrared (short wavelength)



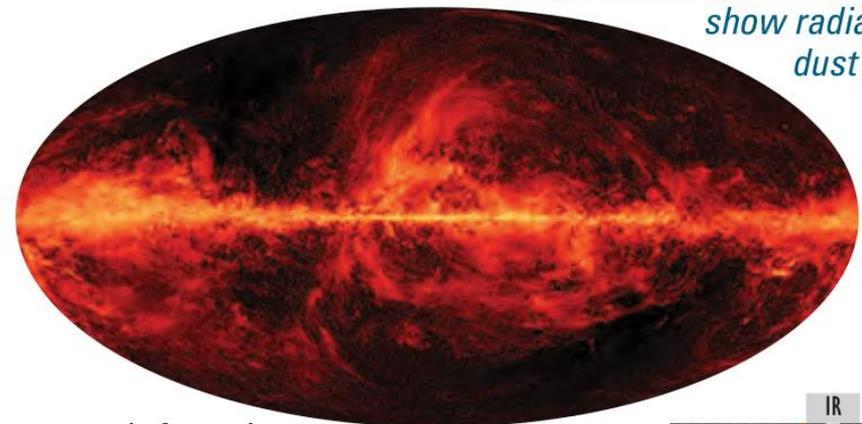
*Dusty clouds in the disk block much of our galaxy's visible starlight.*



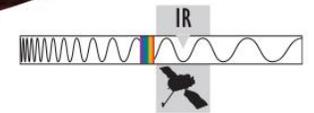
visible light



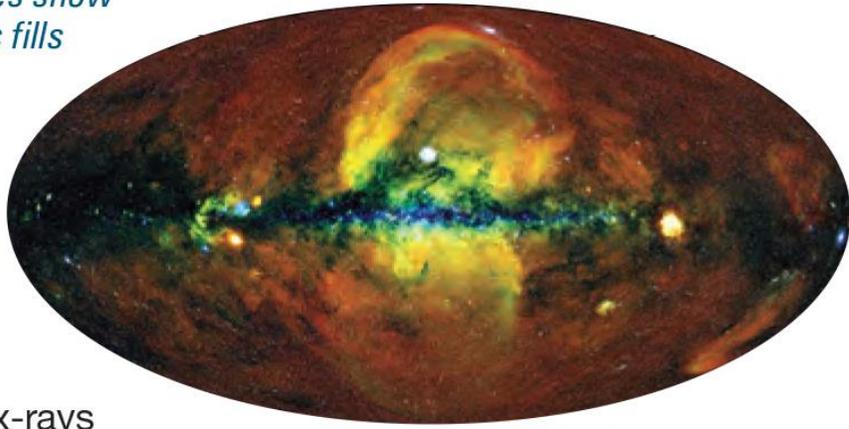
*Long-wavelength infrared images show radiation from dust particles.*



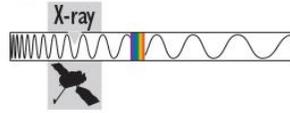
infrared (long wavelength)



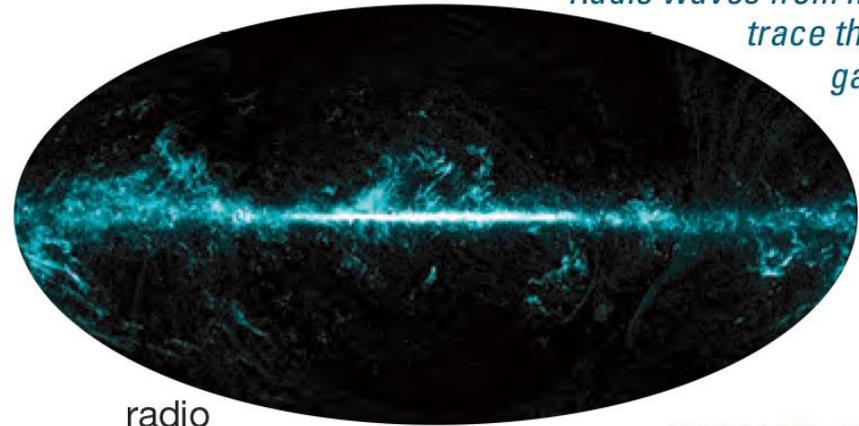
*X-ray images show that hot gas fills the halo.*



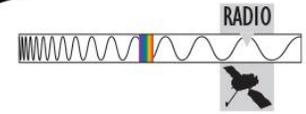
x-rays



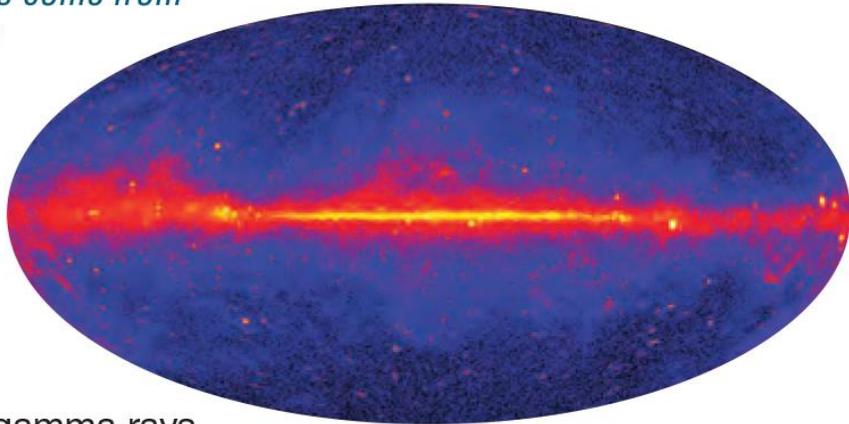
*Radio waves from molecules trace the coldest gas clouds.*



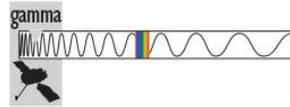
radio  
(CO molecules)



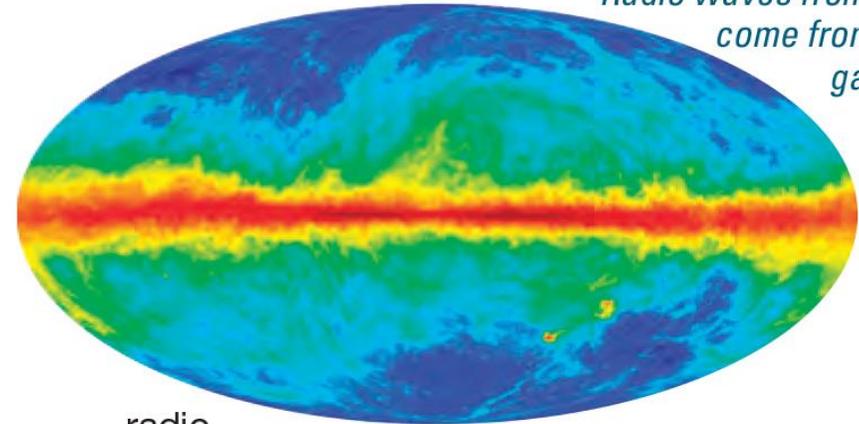
*Gamma rays come from cosmic-ray collisions with gas atoms.*



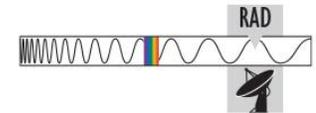
gamma rays



*Radio waves from H atoms come from warmer gas clouds.*



radio  
(H atoms)



Each oval image shows the entire sky in the same way this world map shows the surface of a globe.



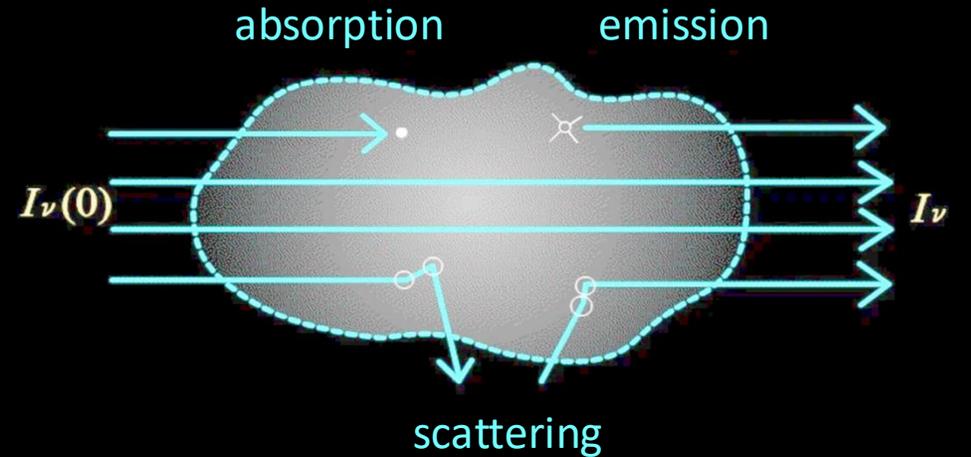
# Crash Course on Radiative Transfer

Equation of radiative transfer (RT):  $\frac{dI_\nu}{ds} = -\alpha_\nu I_\nu + j_\nu$

absorption coefficient:

$$\alpha_\nu = n\sigma_\nu = \rho\kappa_\nu$$

emissivity



Define optical depth:  $\tau_\nu(s) = \int_{s_0}^s \alpha_\nu(s') ds'$

$\tau_\nu \ll 1$  optically thin

$\tau_\nu \gg 1$  optically thick

Rewrite RT equation as:  $\frac{dI_\nu}{d\tau_\nu} = -I_\nu + S_\nu$ , where  $S_\nu = \frac{j_\nu}{\alpha_\nu}$  is the source function

If  $S_\nu = \text{const.} \Rightarrow I_\nu(\tau_\nu) = I_\nu(0)e^{-\tau_\nu} + S_\nu(1 - e^{-\tau_\nu})$

# Einstein AB Coefficients

$$J_\nu = \frac{1}{4\pi} \int I_\nu d\Omega$$

- Consider a two-level system at local thermodynamic equilibrium (LTE):

$$\frac{dn_2}{dt} = 0 = -n_2 A_{21} - n_2 B_{21} J_\nu + n_1 B_{12} J_\nu$$

$$\Rightarrow J_\nu = \frac{A_{21}/B_{21}}{n_1 B_{12}/n_2 B_{21} - 1}$$

$$J_\nu = B_\nu(T) = \frac{2h\nu^3}{c^2} \frac{1}{e^{h\nu/kT} - 1}$$

$$\frac{n_1}{n_2} = \frac{g_1}{g_2} e^{h\nu/kT}$$

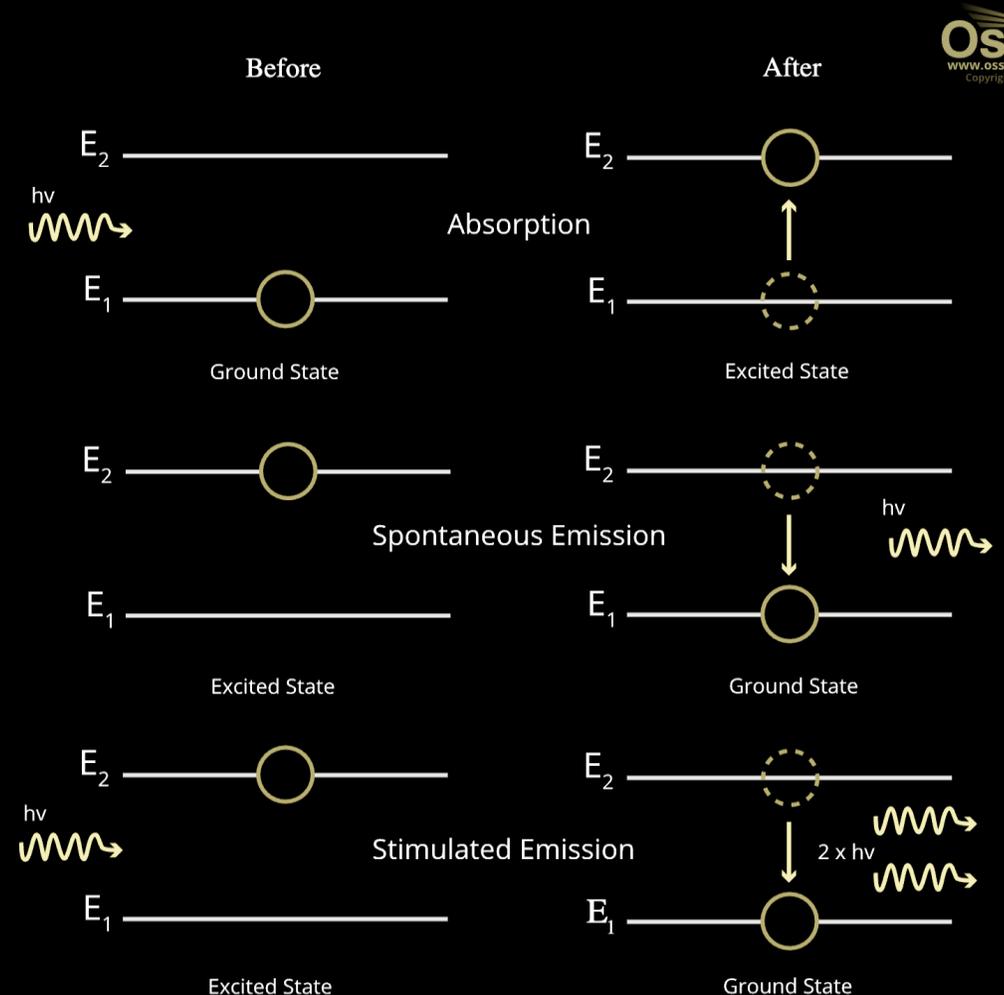
at LTE

If  $h\nu/kT \ll 1 \Rightarrow \frac{g_1}{g_2} B_{12} = B_{21}$

If  $h\nu/kT \gg 1 \Rightarrow \frac{A_{21}}{B_{21}} = \frac{2h\nu^3}{c^2}$

Einstein relation

only need to know one of the three (usually  $A_{21}$ )



# Line Radiative Transfer

We can define the photon occupation number  $\langle n_\gamma \rangle = \frac{c^2}{2h\nu^3} J_\nu$  such that

$$\left( \frac{dn_1}{dt} \right)_{2 \rightarrow 1} = n_2 A_{21} (1 + \langle n_\gamma \rangle) \left( \frac{dn_1}{dt} \right)_{1 \rightarrow 2} = \frac{g_1}{g_2} n_1 \langle n_\gamma \rangle A_{21}$$

When  $\langle n_\gamma \rangle \ll 1$ , **stimulated emission** can be neglected!

Absorption and emission in radiative transfer is controlled microscopically the level population ( $n_1, n_2$ ):

$$\begin{aligned} j_\nu &= \frac{h\nu}{4\pi} n_2 A_{21} \phi(\nu) \\ \alpha_\nu &= \frac{h\nu}{4\pi} (n_1 B_{12} - n_2 B_{21}) \phi(\nu) \\ &= \frac{h\nu}{4\pi} n_1 B_{12} \left( 1 - \frac{n_2 g_1}{n_1 g_2} \right) \phi(\nu) \\ &= \frac{h\nu}{4\pi} n_1 B_{12} (1 - e^{-h\nu/kT}) \phi(\nu) \quad \text{at LTE} \end{aligned}$$

# “Temperatures” in Astronomy

We can define the photon occupation number  $\langle n_\gamma \rangle = \frac{c^2}{2h\nu^3} J_\nu$  such that

$$\left( \frac{dn_1}{dt} \right)_{2 \rightarrow 1} = n_2 A_{21} (1 + \langle n_\gamma \rangle) \left( \frac{dn_1}{dt} \right)_{1 \rightarrow 2} = \frac{g_1}{g_2} n_1 \langle n_\gamma \rangle A_{21}$$

Brightness temperature ( $T_B$ ):  $B_\nu(T_B) = \frac{2h\nu^3}{c^2} \frac{1}{e^{h\nu/kT_B} - 1} = I_\nu$

Antenna temperature ( $T_A$ ):  $T_A(\nu) \equiv \frac{c^2}{2k\nu^2} I_\nu \quad T_B = T_A$  in the Rayleigh-Jeans limit

Excitation temperature ( $T_{\text{exc}}$ ):  $\frac{n_u}{n_l} \equiv \frac{g_u}{g_l} e^{-E_{ul}/kT_{\text{exc}}}$

# Collisional Excitation

In the absence of external radiation (no absorption or stimulated emission), level population is controlled by collision:

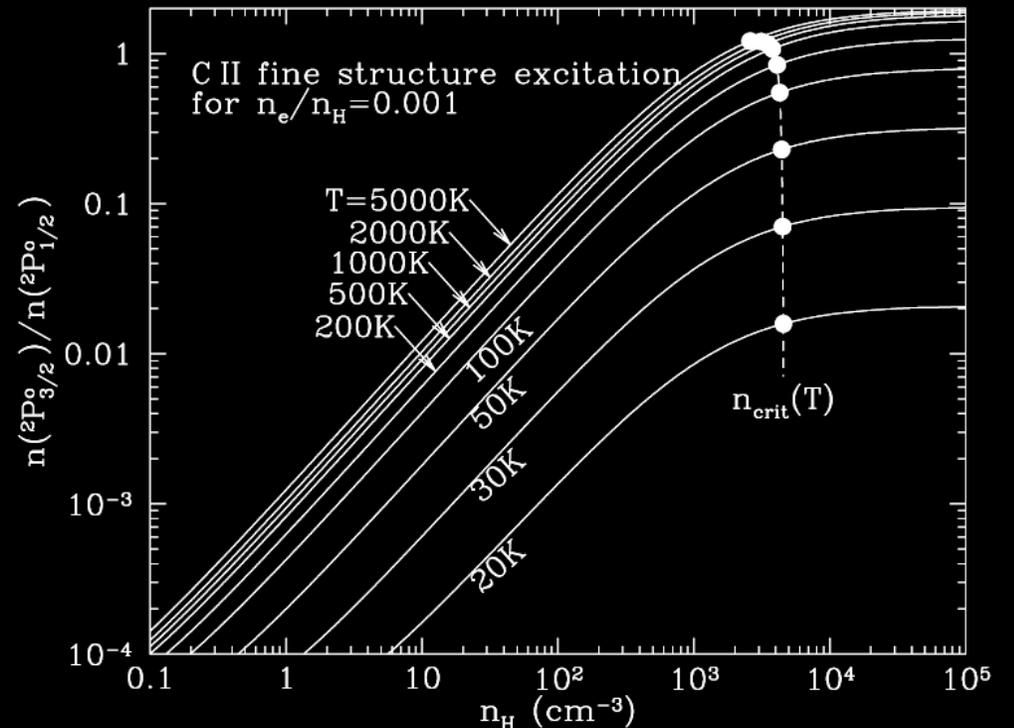
$$\frac{dn_1}{dt} = \underbrace{n_c n_0 k_{01}}_{\text{collisional excitation}} - \underbrace{n_c n_1 k_{10}}_{\text{collisional de-excitation}} - \underbrace{n_1 A_{10}}_{\text{spontaneous decay}} = 0 \quad \Rightarrow \quad \frac{n_1}{n_0} = \frac{n_c k_{01}}{n_c k_{10} + A_{10}} = \frac{k_{01}/k_{10}}{1 + A_{10}/(n_c k_{10})}$$

From detailed balance:  $k_{01} = \frac{g_1}{g_0} k_{10} e^{-E_{10}/kT}$

$$\Rightarrow \frac{n_1}{n_0} = \frac{1}{1 + \frac{A_{10}}{n_c k_{10}}} \frac{g_1}{g_0} e^{-E_{10}/kT}$$

Define critical density:  $n_{\text{crit}} \equiv \frac{A_{10}}{k_{10}}$

If  $n_c \gg n_{\text{crit}} \Rightarrow \frac{n_1}{n_0} = \frac{g_1}{g_0} e^{-E_{10}/kT}$  Boltzmann distribution!



# Collisional Excitation

When there is **external radiation** (need to including absorption and stimulated emission):

$$\frac{dn_1}{dt} = n_0 \left[ \underbrace{n_c k_{01}}_{\text{collisional excitation}} + \underbrace{\langle n_\gamma \rangle \frac{g_1}{g_0} A_{10}}_{\text{absorption}} \right] - n_1 \left[ \underbrace{n_c k_{10}}_{\text{collisional de-excitation}} + \underbrace{(1 + \langle n_\gamma \rangle) A_{10}}_{\text{spontaneous decay + stimulated emission}} \right] = 0 \Rightarrow \frac{n_1}{n_0} = \frac{n_c k_{01} + \langle n_\gamma \rangle \frac{g_1}{g_0} A_{10}}{n_c k_{10} + (1 + \langle n_\gamma \rangle) A_{10}}$$

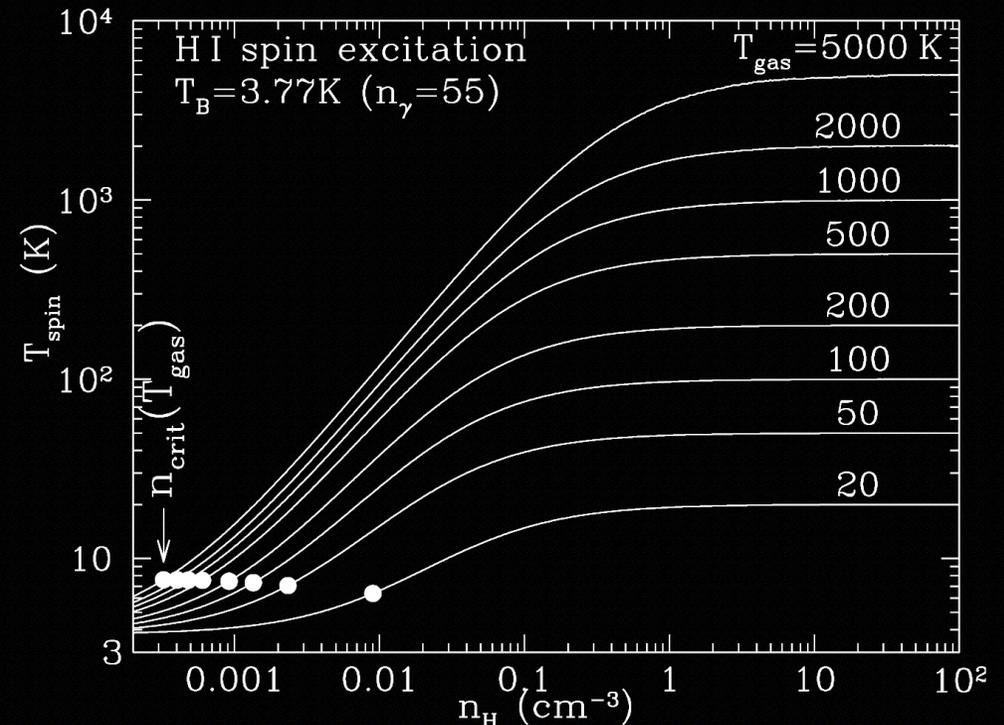
Using  $\left\{ \begin{array}{l} k_{01} = \frac{g_1}{g_0} k_{10} e^{-E_{10}/kT} \\ \langle n_\gamma \rangle = \frac{1}{e^{h\nu/kT_B} - 1} \end{array} \right.$

$$\Rightarrow \frac{n_1}{n_0} = \frac{1}{1 + \frac{n_c}{n} \frac{g_1}{g_0}} e^{-E_{10}/kT} + \frac{1}{1 + \frac{n}{n_c} \frac{g_1}{g_0}} e^{-E_{10}/kT_B}$$

Critical density becomes:  $n_{\text{crit}} \equiv (1 + \langle n_\gamma \rangle) \frac{A_{10}}{k_{10}}$

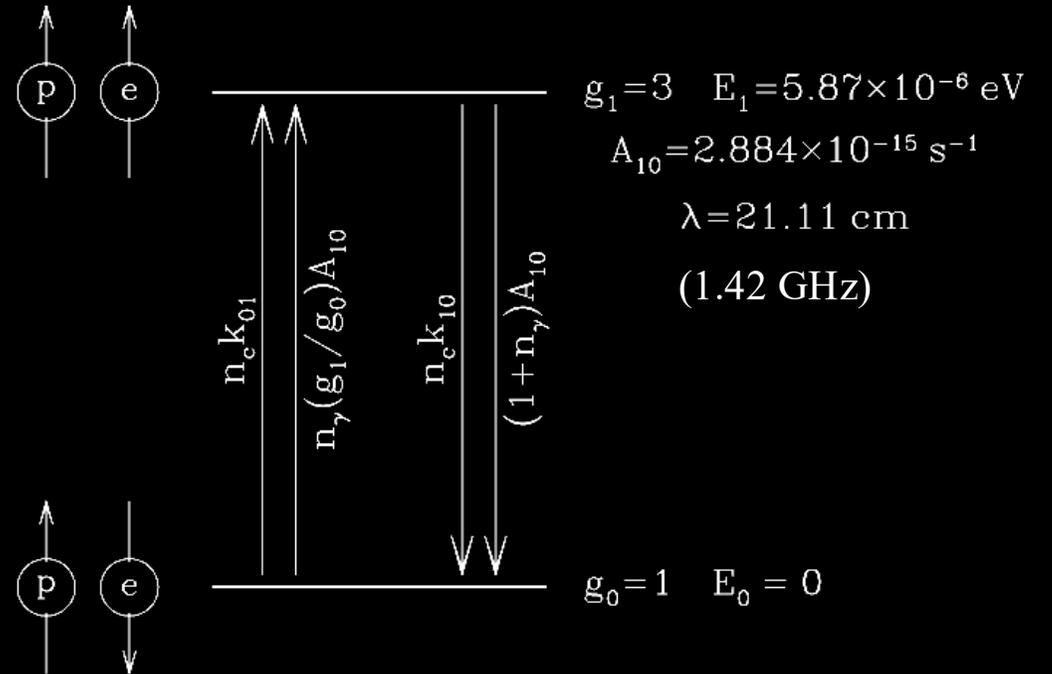
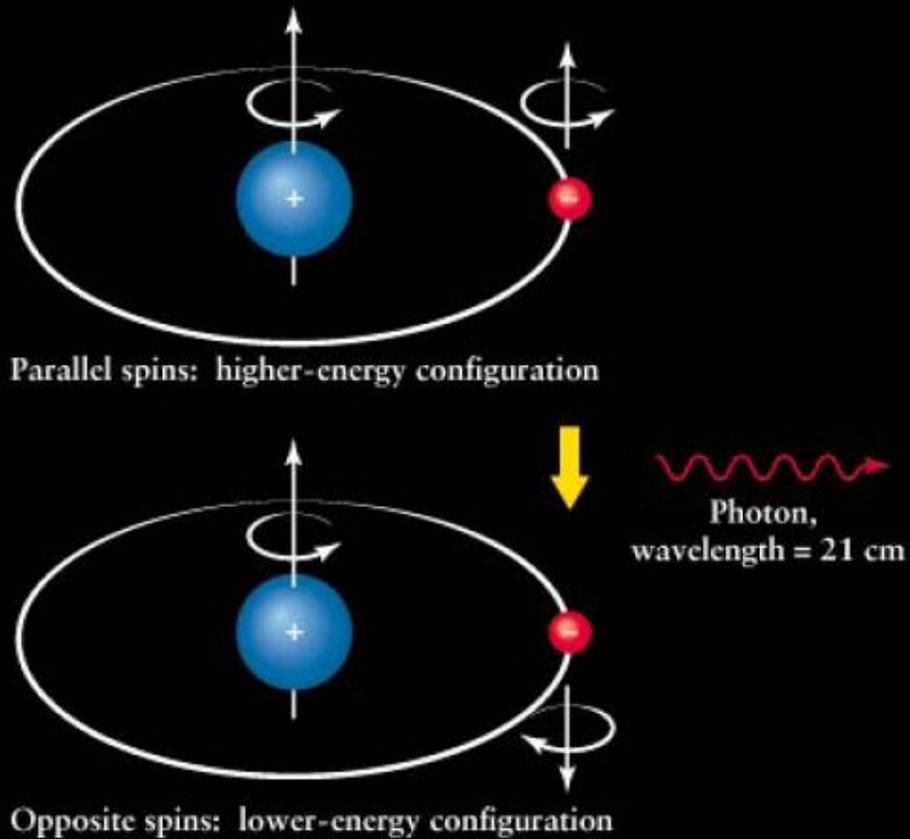
If  $n_c \ll n_{\text{crit}} \Rightarrow$  radiation dominates  $\Rightarrow$  Boltzmann distribution at  $T_B$

If  $n_c \gg n_{\text{crit}} \Rightarrow$  collision dominates  $\Rightarrow$  Boltzmann distribution at  $T$



# Neutral Gas (HI)

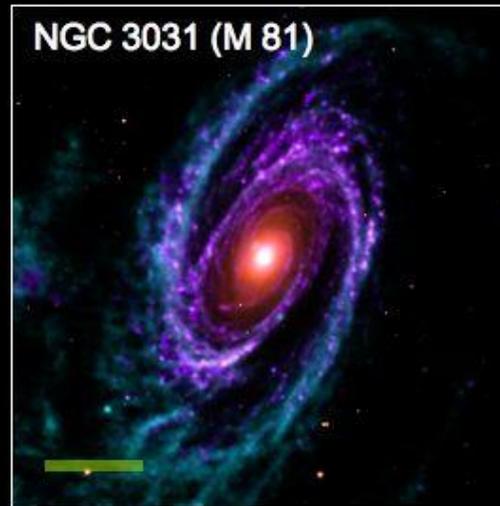
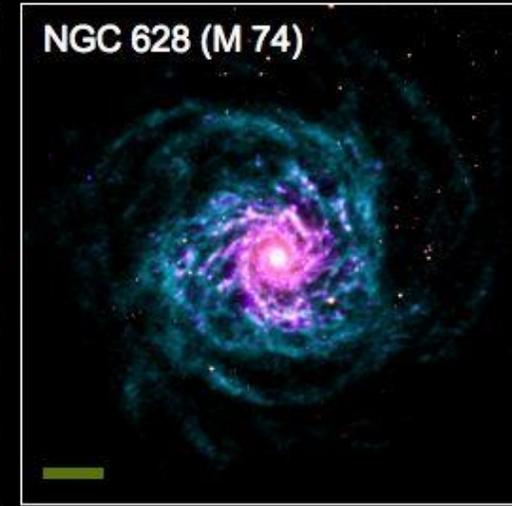
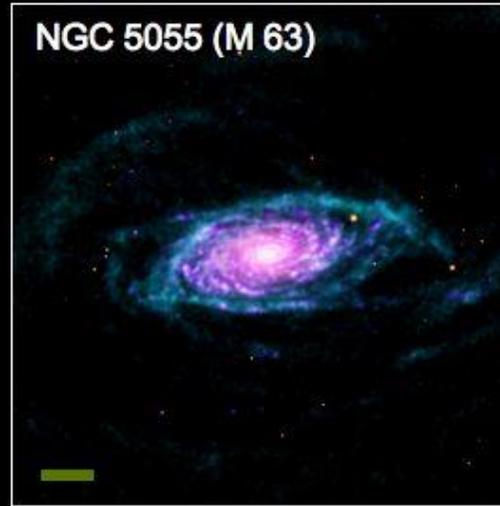
- Neutral atomic hydrogen gas (HI)
- Main tracer: the 21 cm line



# Spatially Extended HI Disks

- The atomic gas is typically much more extended than the stellar disk in spiral galaxies .

## Spiral Galaxies in THINGS — The HI Nearby Galaxy Survey



**THINGS**



The HI Nearby  
Galaxy Survey

color coding:

THINGS Atomic Hydrogen  
(Very Large Array)

Old stars  
(Spitzer Space Telescope)

Star Formation  
(GALEX & Spitzer)

scale: 

15,000 light years



Image credits:

VLA THINGS: Walter et al. 08

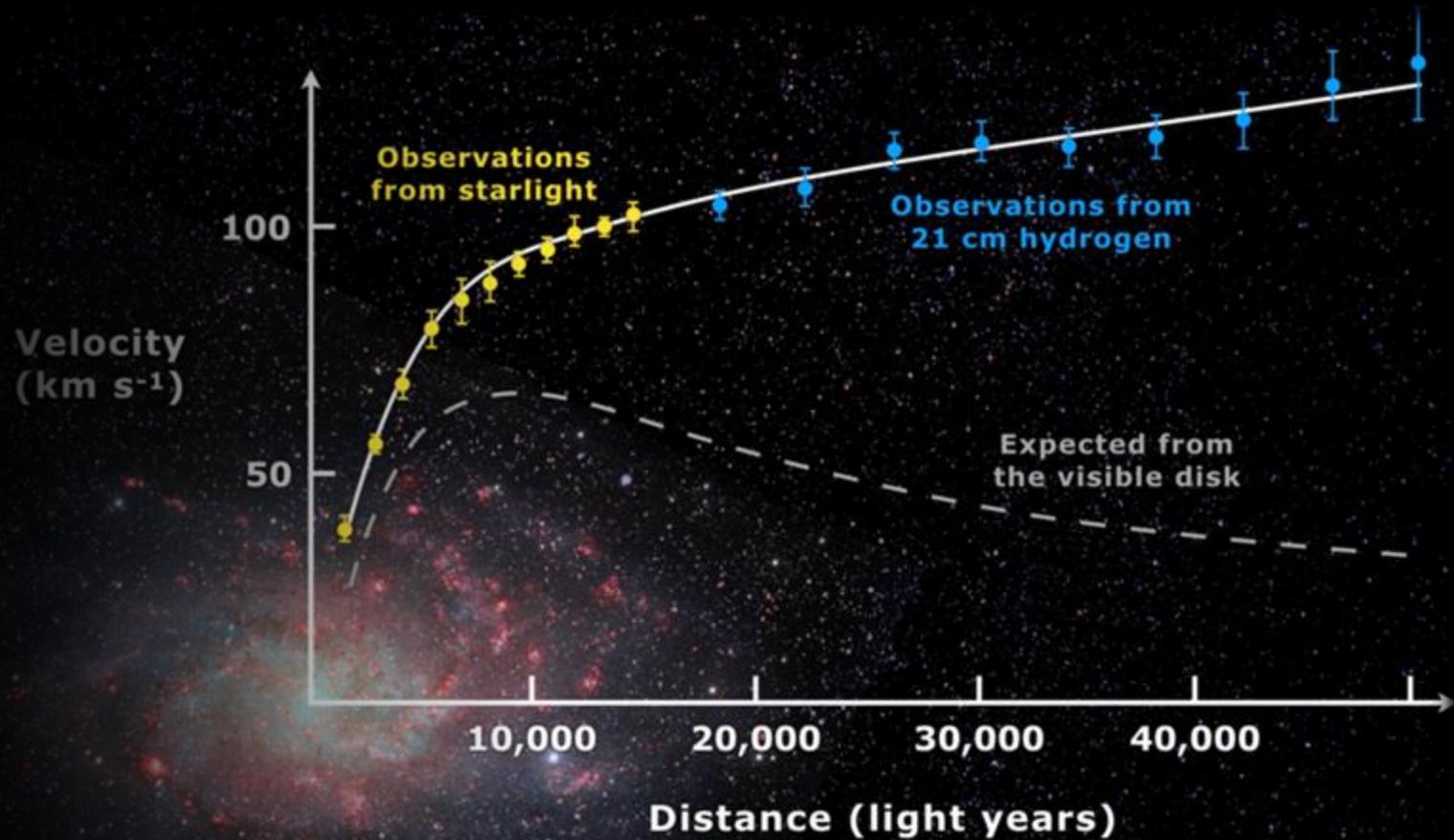
Spitzer SINGS: Kennicutt et al. 03

GALEX NGS: Gil de Paz et al. 07

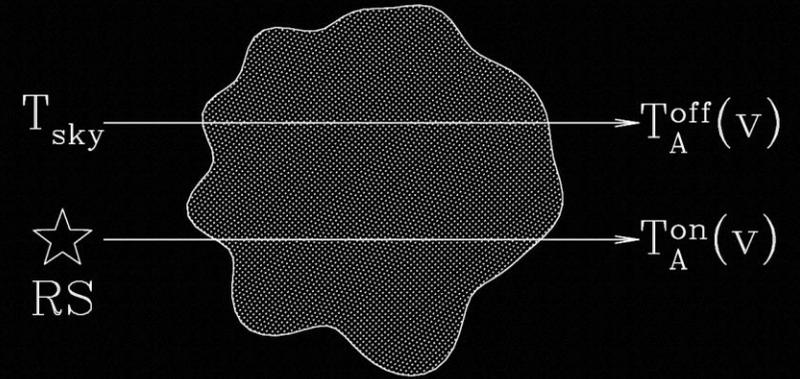
# Rotation Curves in 21 cm

- The 21 cm line allows for direct measurement of gas mass and rotation curves **out to large radii**, probing the dark matter.

- Rotation velocity  $v = \sqrt{\frac{GM}{r}}$ , so by measuring the rotation velocity we can infer the underlying mass of the galaxy



# Observational Evidence of the Two-phase ISM



Observing 21 cm lines **on** and **off** a background source.

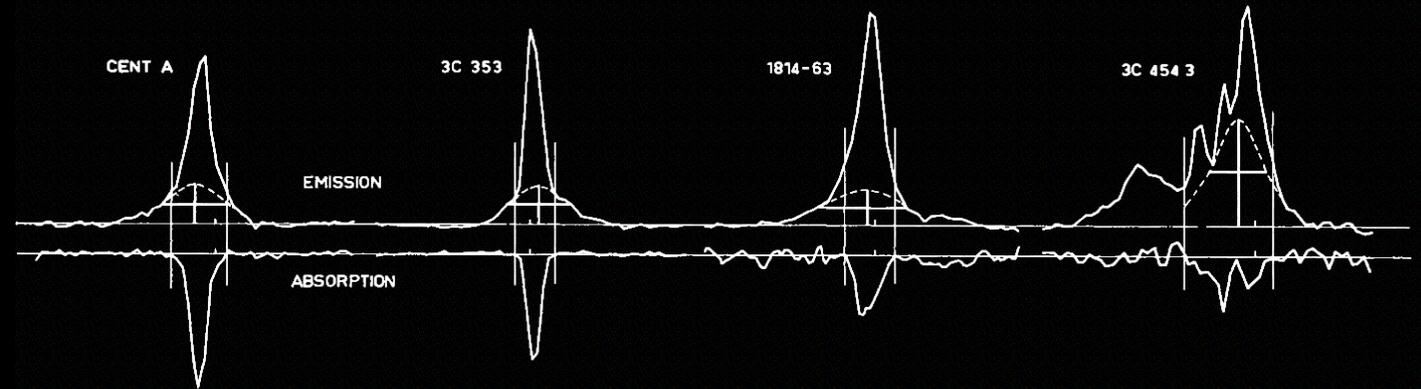
$$\alpha_\nu = \frac{h\nu}{4\pi} n_1 B_{12} (1 - e^{-h\nu/kT}) \phi(\nu)$$

$$\approx \frac{3}{32\pi} A_{ul} \frac{hc\lambda_{ul}}{kT_{\text{spin}}} n(\text{HI}) \phi_\nu \propto \boxed{1/T_{\text{spin}}}$$

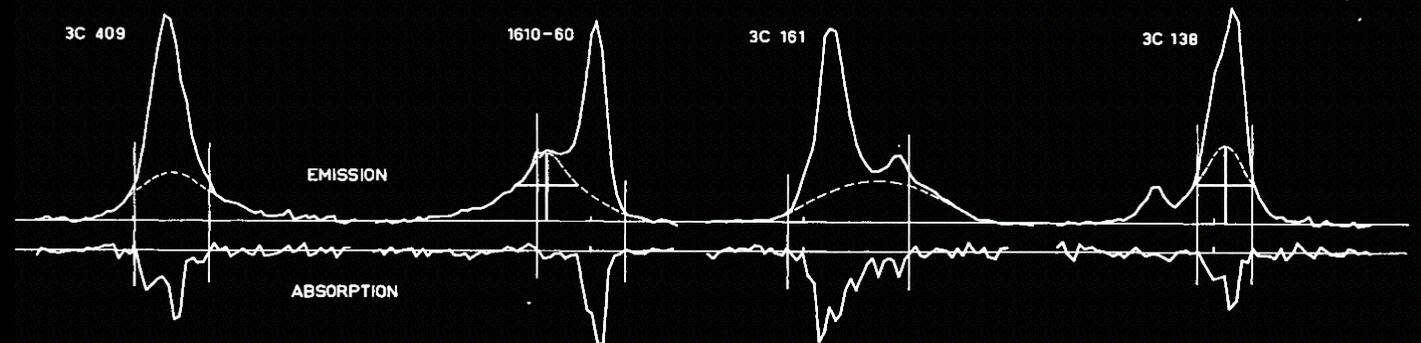
absorption is more efficient in **cold gas!**

Emission is observed along every sightline,  
but absorption is not.

=> discrete CNM clouds (**absorption**) +  
diffuse intercloud WNM (**emission**)!

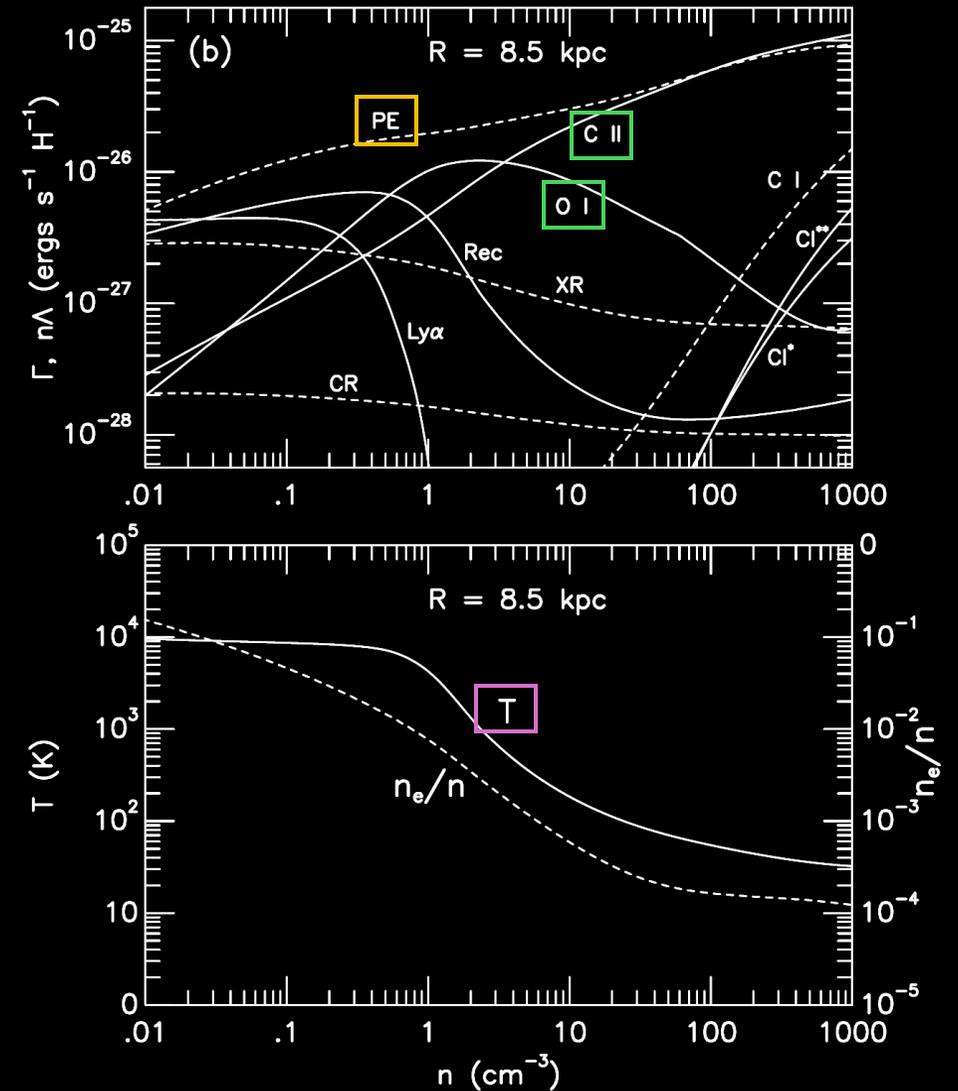


Radhakrishnan et al., 1972, ApJS, 24, 15



# Heating and Cooling Processes in the Neutral Gas

- Main heating processes:
  - FUV photoelectric effect on dust
  - cosmic ray ionization
  - X-ray ionization
- Main cooling processes:
  - fine structure metal lines ([CII]158, [OI]63)
  - recombination
  - Lyman alpha transition
- Thermal equilibrium on the phase diagram is a classical “S-shape” curve.

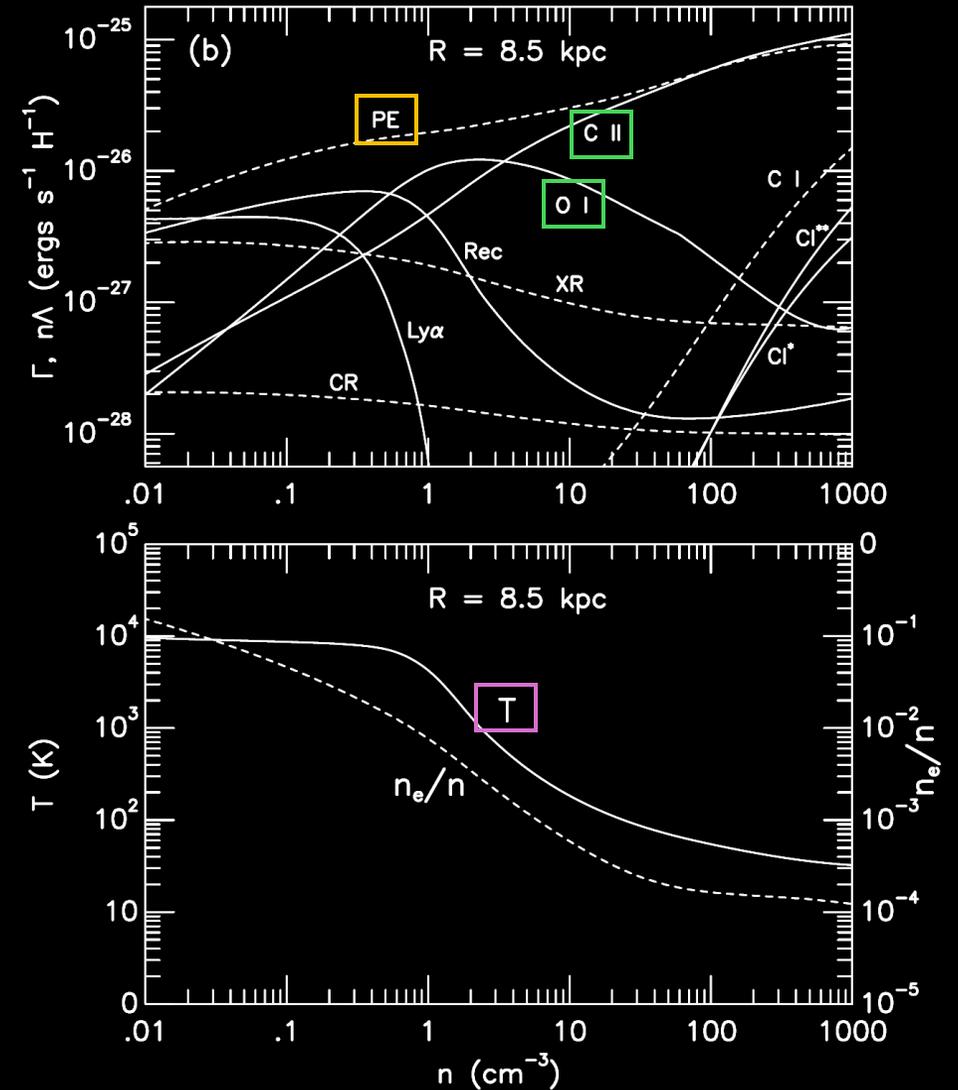


# Heating and Cooling Processes in the Neutral Gas

Ion	$\ell$	$u$	$E_\ell/k$ (K)	$E_u/k$ (K)	$\lambda_{u\ell}$ ( $\mu\text{m}$ )	$n_{\text{H,crit}}(u)$	
						$T = 100 \text{ K}$ ( $\text{cm}^{-3}$ )	$T = 5000 \text{ K}$ ( $\text{cm}^{-3}$ )
C II	$2\text{P}_{1/2}^o$	$2\text{P}_{3/2}^o$	0	91.21	157.74	$2.0 \times 10^3$	$1.5 \times 10^3$
C I	$3\text{P}_0$	$3\text{P}_1$	0	23.60	609.7	620	160
	$3\text{P}_1$	$3\text{P}_2$	23.60	62.44	370.37	720	150
O I	$3\text{P}_2$	$3\text{P}_1$	0	227.71	63.185	$2.5 \times 10^5$	$4.9 \times 10^4$
	$3\text{P}_1$	$3\text{P}_0$	227.71	326.57	145.53	$2.3 \times 10^4$	$8.4 \times 10^3$
Si II	$2\text{P}_{1/2}^o$	$2\text{P}_{3/2}^o$	0	413.28	34.814	$1.0 \times 10^5$	$1.1 \times 10^4$
Si I	$3\text{P}_0$	$3\text{P}_1$	0	110.95	129.68	$4.8 \times 10^4$	$2.7 \times 10^4$
	$3\text{P}_1$	$3\text{P}_2$	110.95	321.07	68.473	$9.9 \times 10^4$	$3.5 \times 10^4$

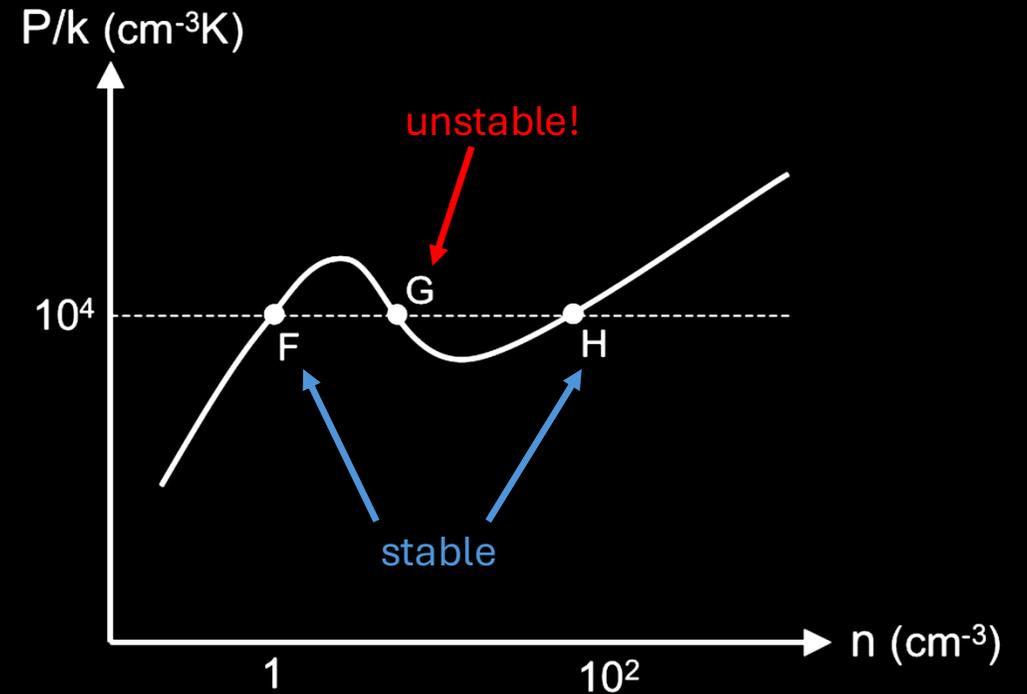
Why does [CII]158 $\mu\text{m}$  overtake [OI]63 $\mu\text{m}$  as the dominant cooling process in the CNM?

- (1) Temperature is too low (collisional excitation)
- (2) Density is too high (line becomes thermalized)
- (3) Line becomes optically thick (only see the surface)



# Thermal Instability

- For a given ISM pressure, thermal equilibrium allows 3 possible solutions (F, G, H). F & H are stable; G is unstable and suffers from **thermal instability**.
- Thermal instability: density decreases => net heating => density decreases further ( $P \sim n T$ ) => even stronger heating => ...
- Thermal instability naturally leads to 2 stable phases (WNM & CNM)!



# WIM (HII region)

- Young, massive (OB) stars emit UV radiation energetic enough to ionize its ambient hydrogen ( $>13.6$  eV).
- Thermal balance:  
**photoionization** heating balancing  
**recombination** cooling.



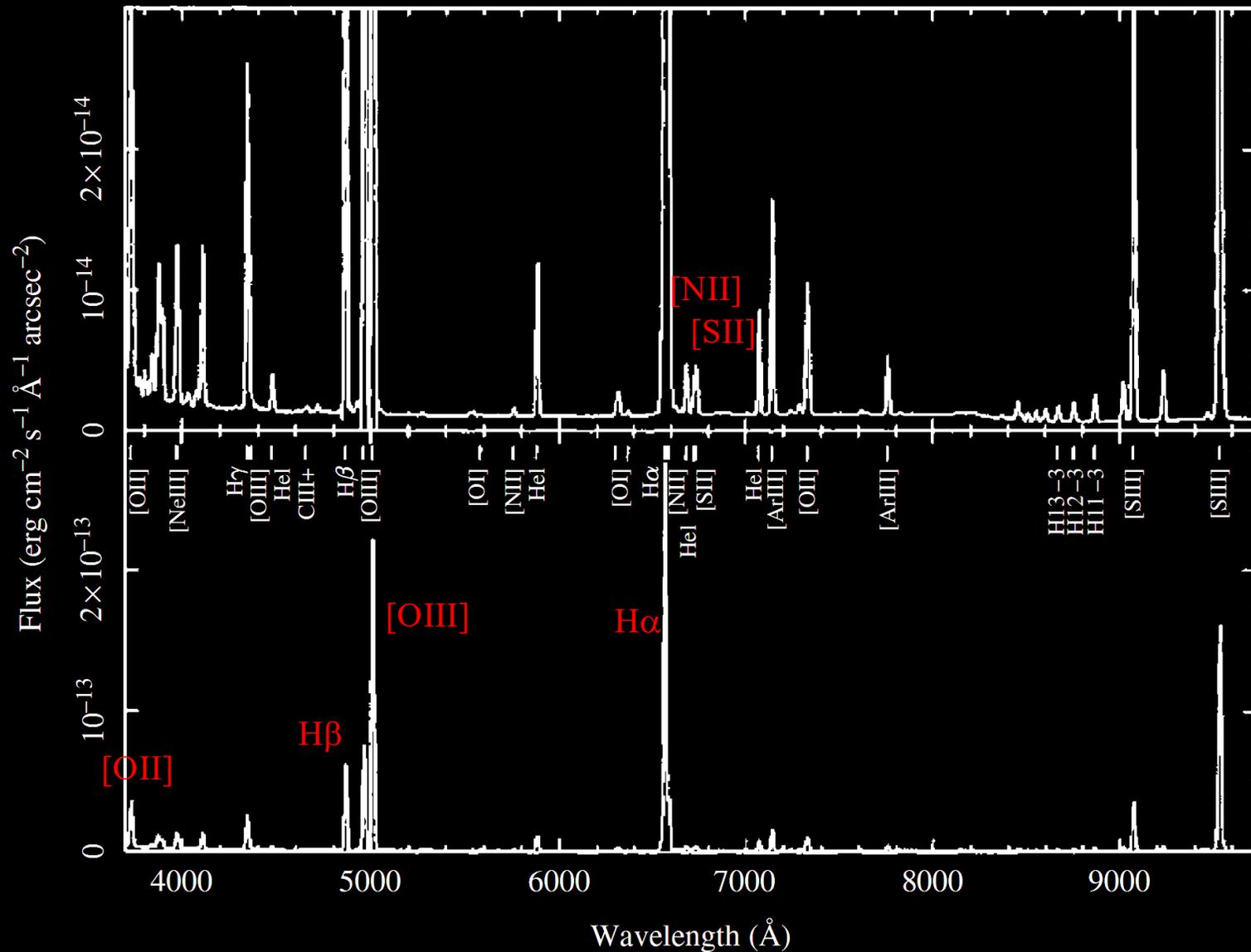
# Emission lines in the HII regions

- **Hydrogen recombination lines**

- H $\alpha$  (6563Å) (n=3->2)
- H $\beta$  (4861Å) (n=4->2)
- ...
- radio recombination lines  
(e.g. H106 $\alpha$ , n=107->106)

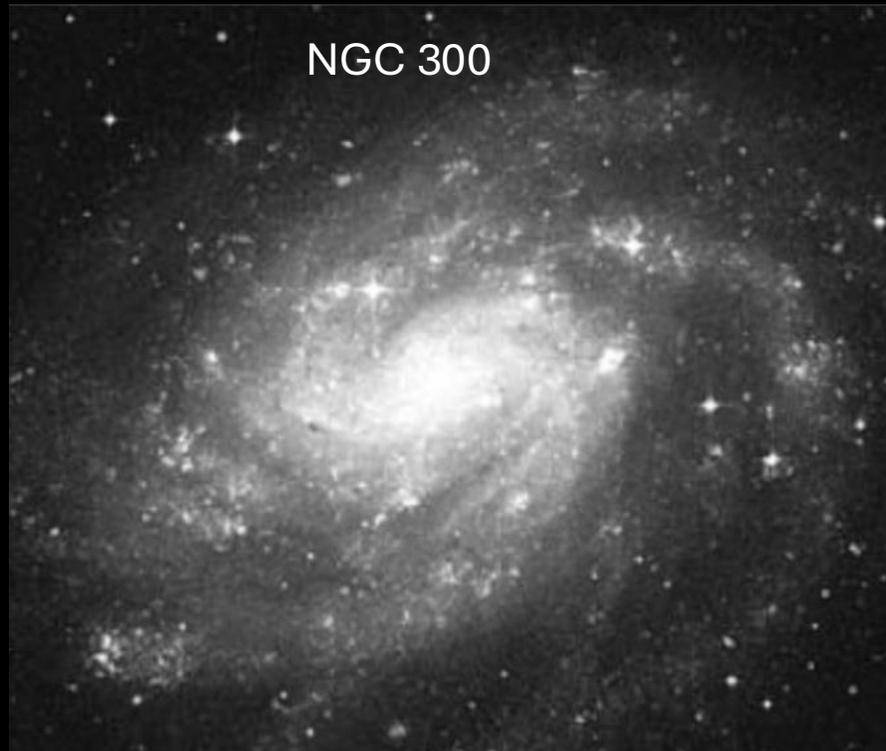
- **Forbidden metal lines**

- [O III] (4959 Å, 5007 Å)
- [O II] (3727 Å)
- [N II] (6548 Å, 6584 Å)
- [S II] (6716 Å, 6731 Å)



# $H\alpha$ is a widely used star formation tracer

- $H\alpha$  traces HII regions, which are indicators of young OB stars.



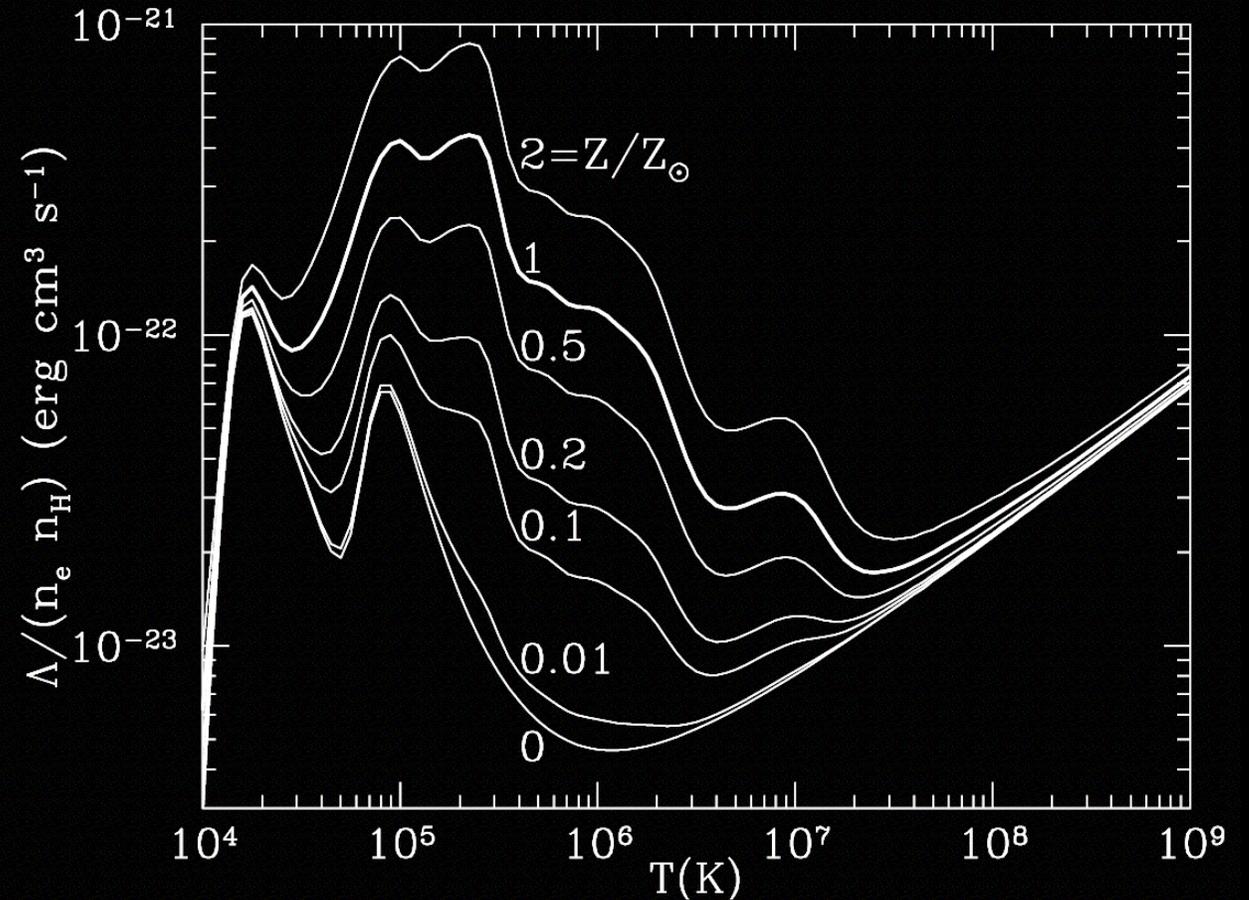
optical



$H\alpha$

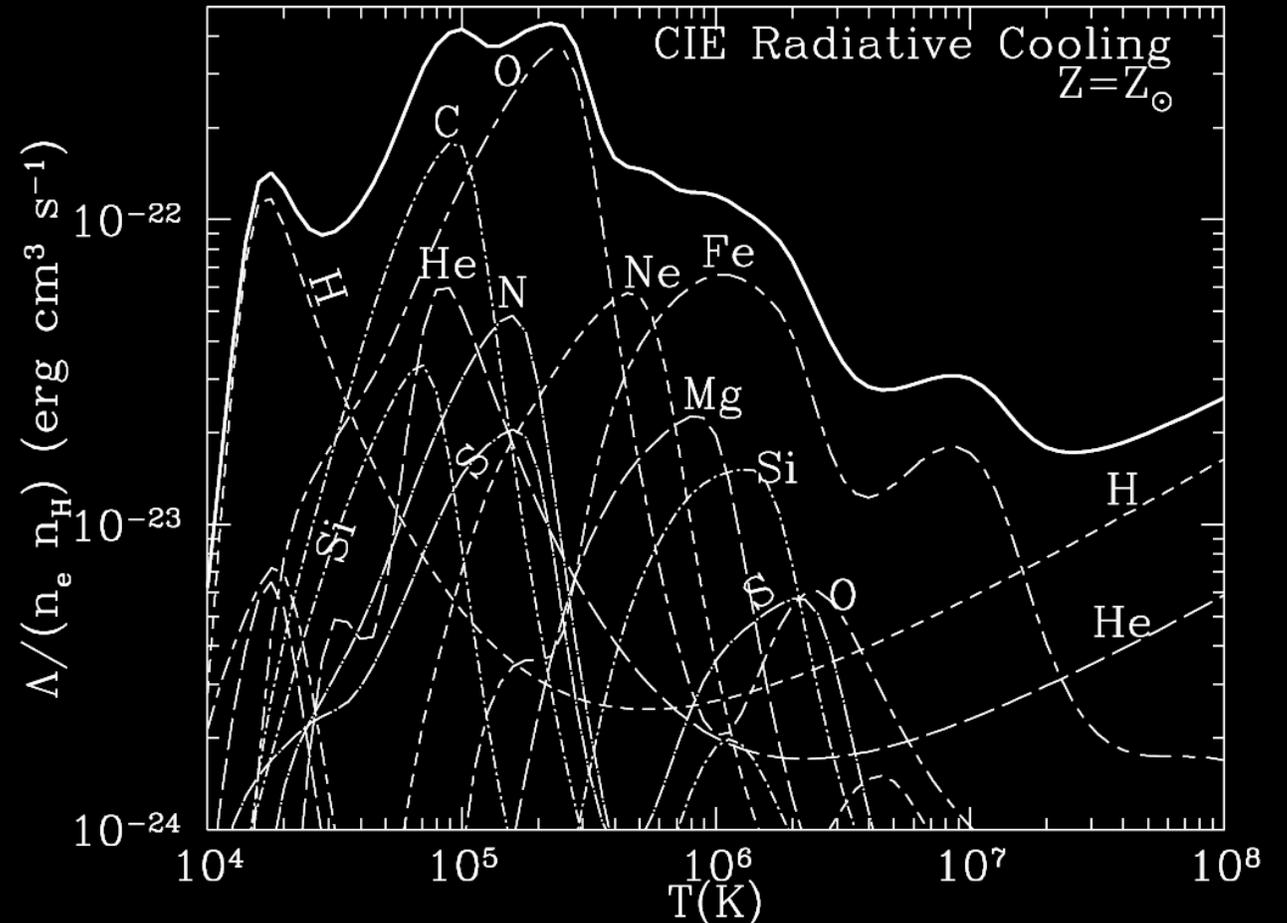
# Hot Ionized Medium

- Primarily driven by stellar feedback such as **supernova blastwaves** and **stellar winds**.
- Cooling is very efficient in hot gas.
- No heating mechanisms can balance cooling.
- However, transient hot gas can exist at the local minimum of the cooling function at  $T \sim 10^6 - 10^7$  K.



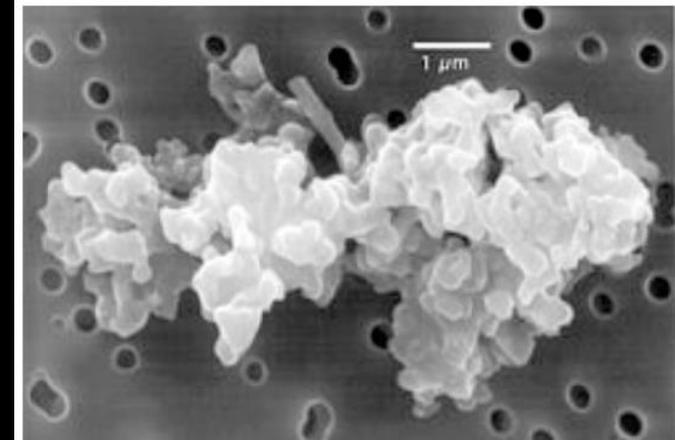
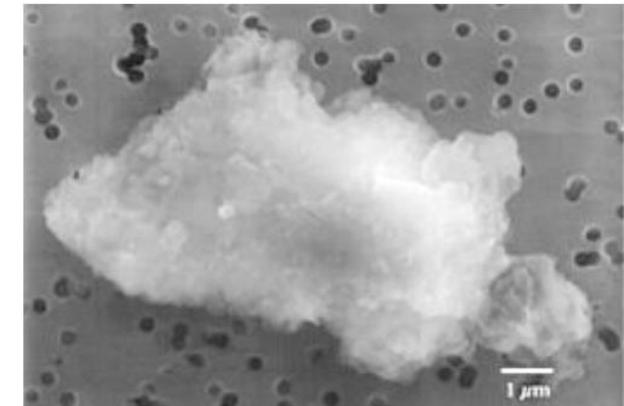
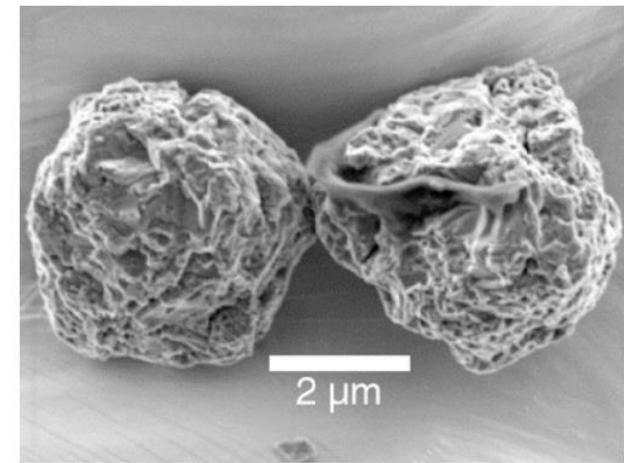
# Hot Ionized Medium

- Primarily driven by stellar feedback such as **supernova blastwaves** and **stellar winds**.
- Cooling is very efficient in hot gas.
- No heating mechanisms can balance cooling.
- However, transient hot gas can exist at the local minimum of the cooling function at  $T \sim 10^6 - 10^7$  K.



# Dust

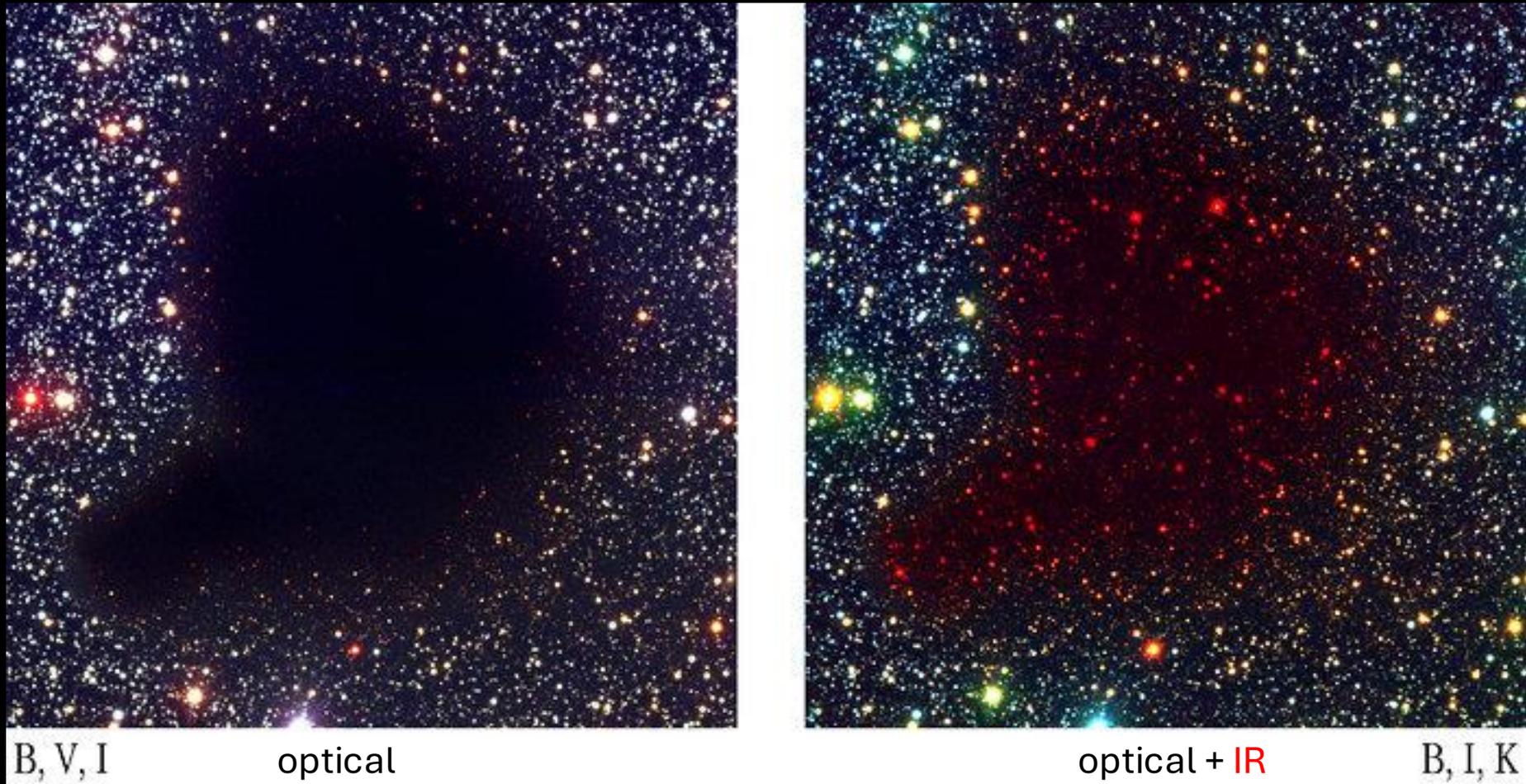
- Solid particles consist of **metals** (C, Si, O, Mg, Fe, ..)
  - silicate dust (e.g.  $\text{Mg}_2\text{SiO}_4$ )
  - carbonaceous dust (graphite?)
- Contribute ~1% of the ISM by mass in the Milky Way
- Modify the radiation in two ways:
  - **Extinction** (absorption + scattering)
  - **Thermal emission (FIR)**



# Dust Extinction

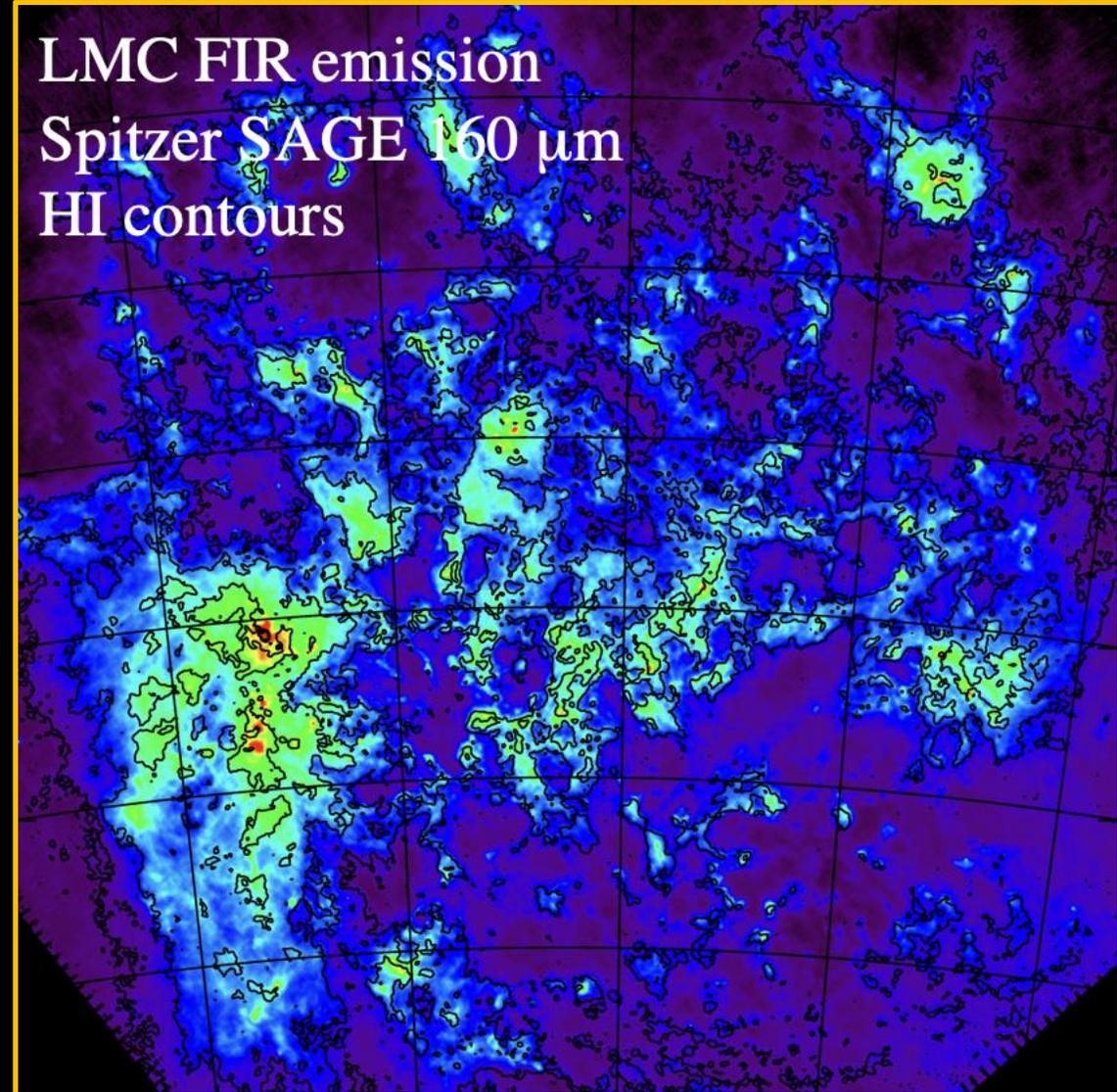
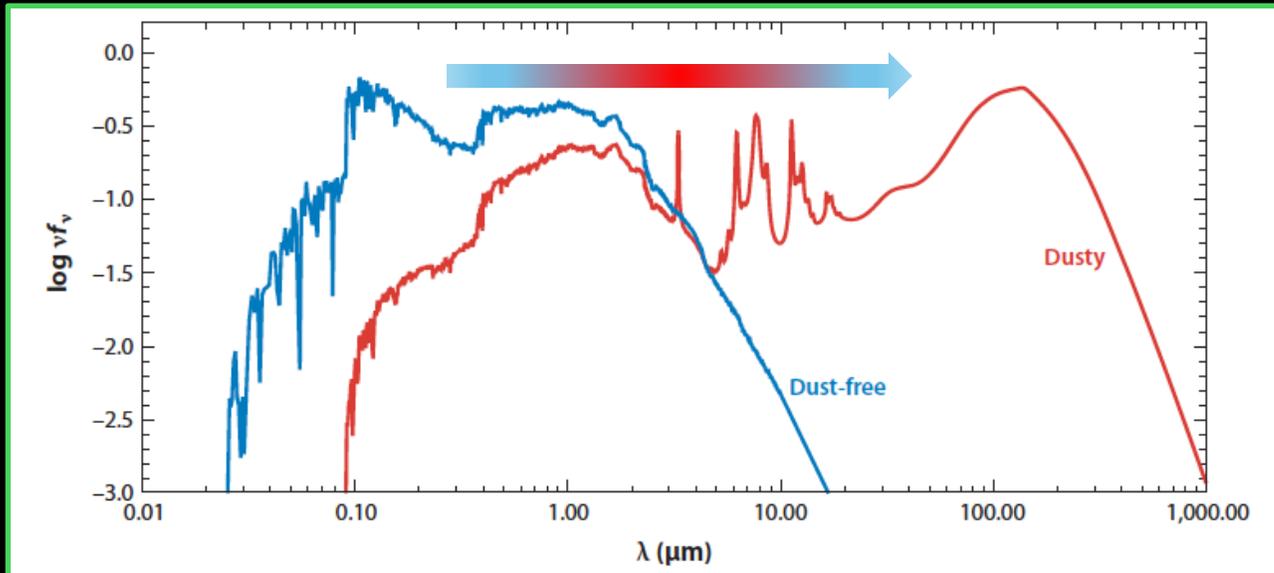
“Hier ist wahrhaftig ein Loch im Himmel!”  
(Here truly is a hole in the sky!)

- *William Herschel*



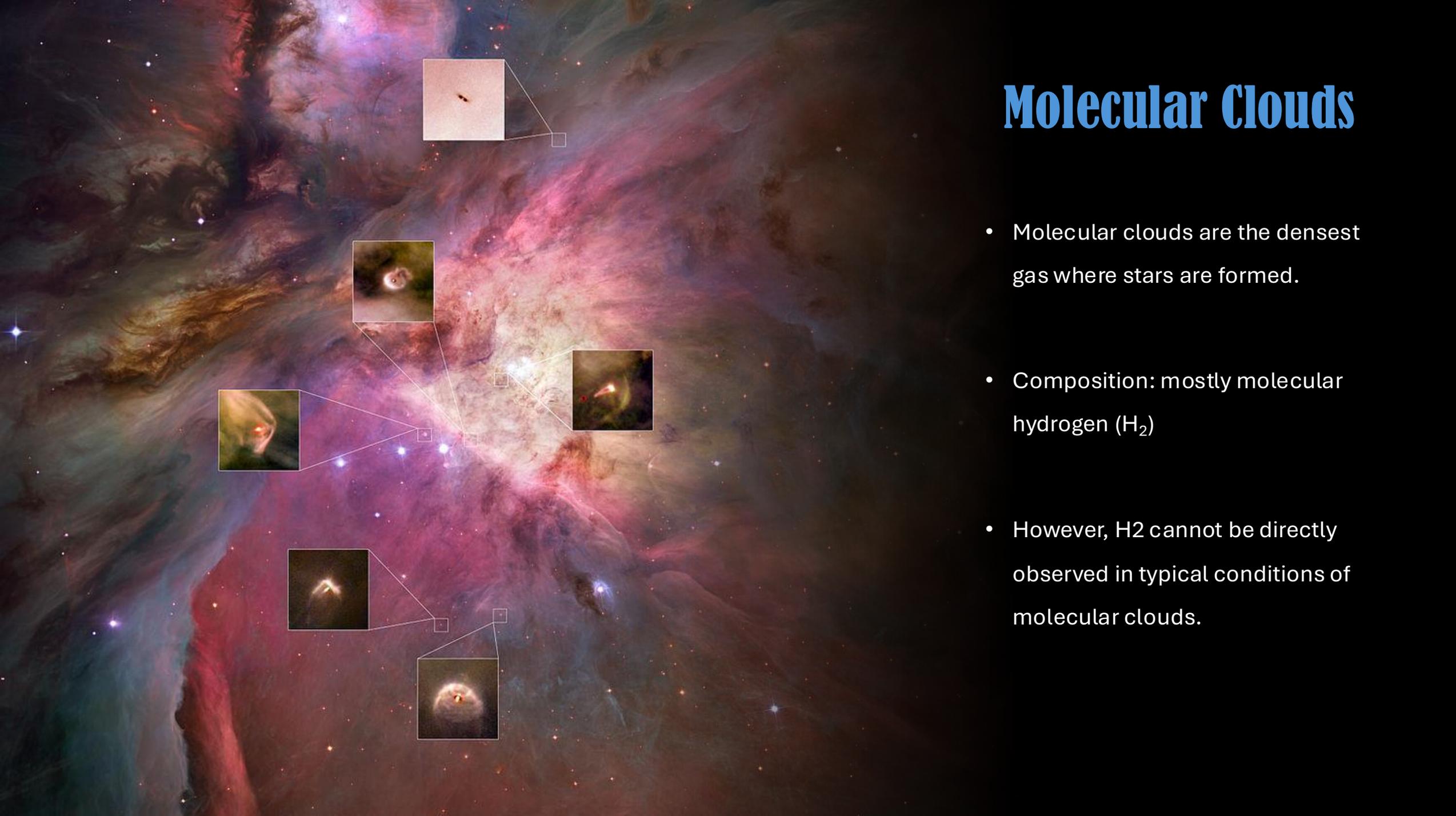
# Dust Emission

- Dust absorbs **UV** and re-emits in **FIR**.
- Emission roughly follows a modified blackbody radiation.



# Molecular Clouds

- Molecular clouds are the densest gas where stars are formed.
- Composition: mostly molecular hydrogen ( $H_2$ )
- However,  $H_2$  cannot be directly observed in typical conditions of molecular clouds.



# Molecular Clouds

What is the main reason for H<sub>2</sub> to emit radiation so inefficiently?

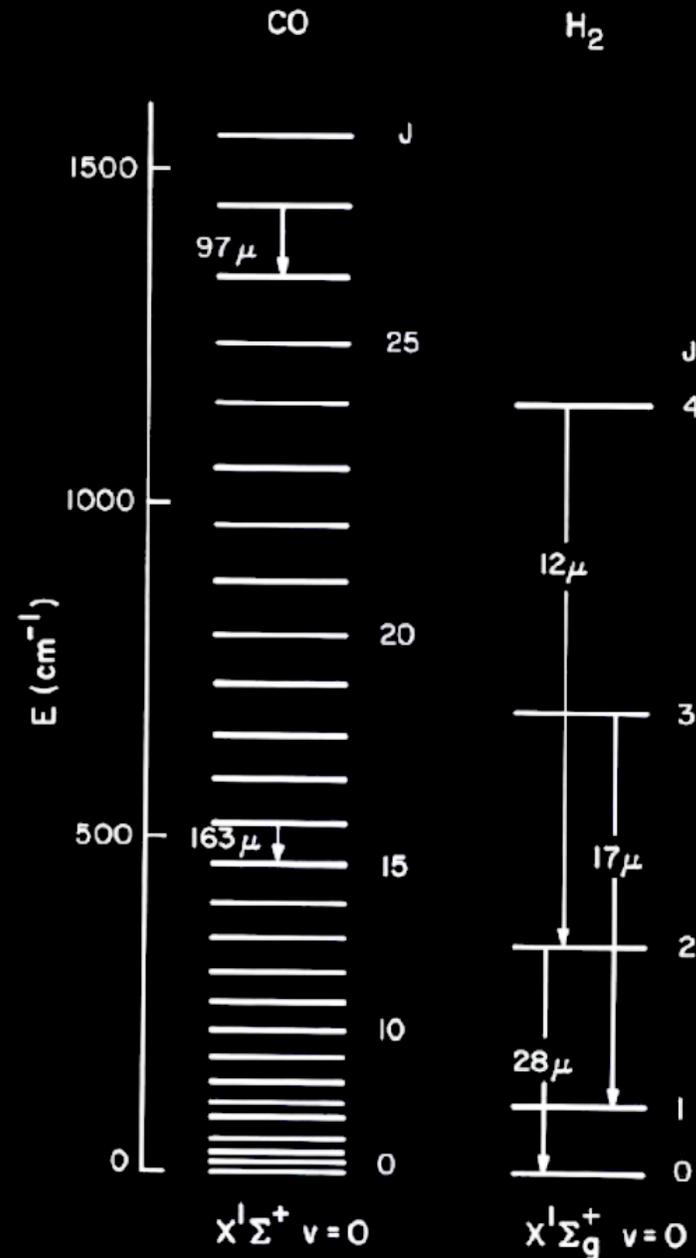
- (1) Because H<sub>2</sub> molecule is symmetric
- (2) Because the molecular weight of H<sub>2</sub> is too low
- (3) Because H<sub>2</sub> lines are optically thick
- (4) Because the critical densities of H<sub>2</sub> lines are too high

- Molecular clouds are the densest gas where stars are formed.
- Composition: mostly molecular hydrogen (H<sub>2</sub>)
- However, H<sub>2</sub> cannot be directly observed in typical conditions of molecular clouds.

# Molecular Clouds

$$E_J = \frac{\hbar^2}{2I} J(J+1)$$

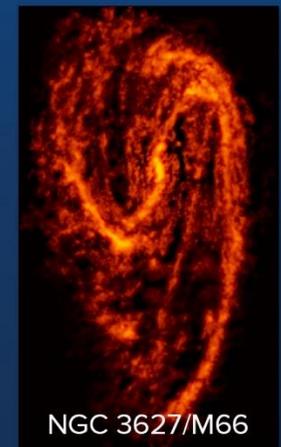
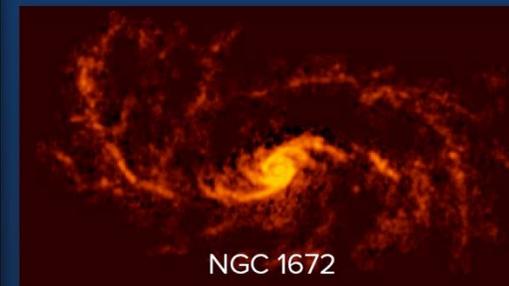
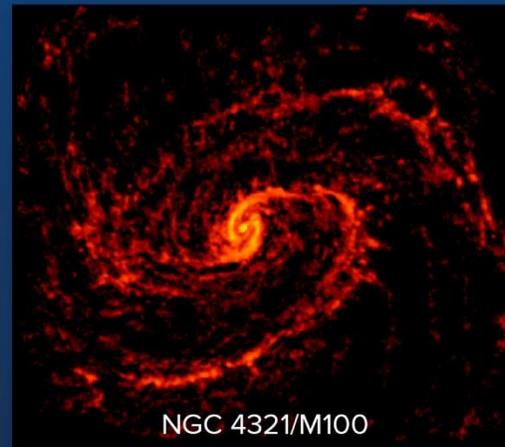
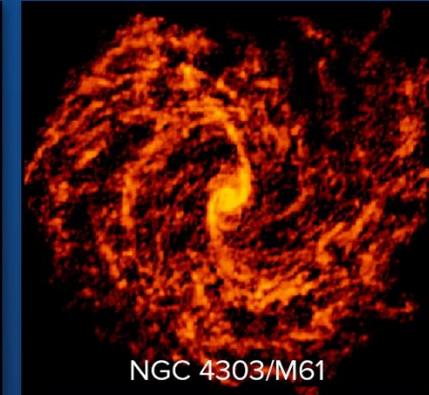
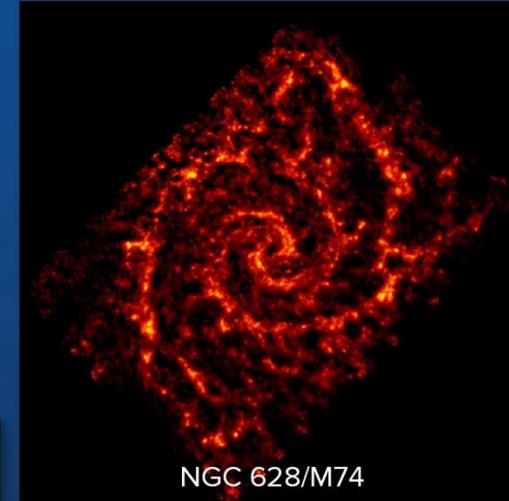
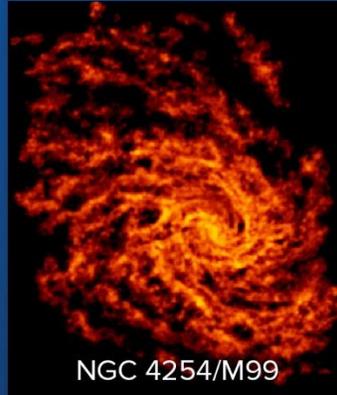
$$I = m r^2$$



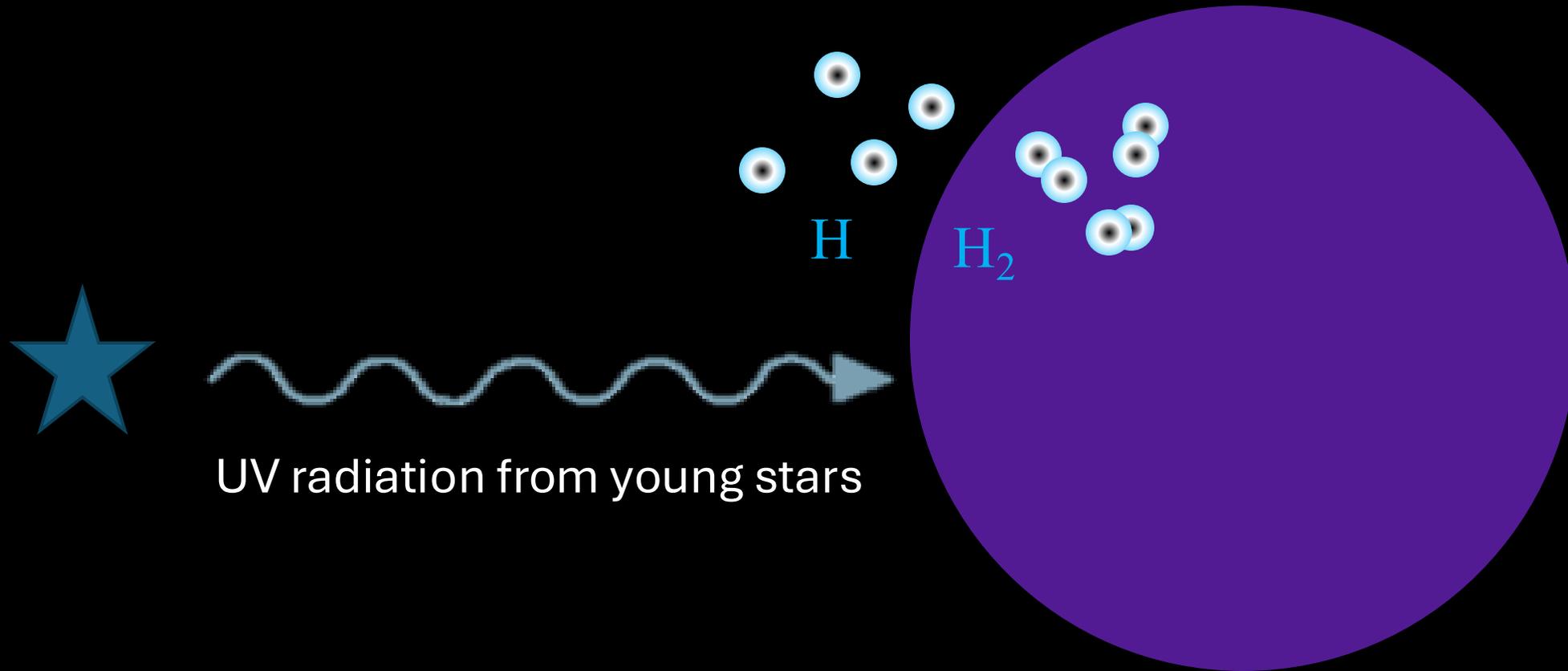
- Molecular clouds are the densest gas where stars are formed.
- Composition: mostly molecular hydrogen (H<sub>2</sub>)
- However, H<sub>2</sub> cannot be directly observed in typical conditions of molecular clouds.

# CO as an observational tracer for H<sub>2</sub>

- H<sub>2</sub> does not emit efficiently in molecular clouds (too cold).
- Observationally, we need a tracer for H<sub>2</sub> to infer its existence.
- **Carbon monoxide (CO)** is the most widely used tracer for H<sub>2</sub>.



# Chemistry: HI-H<sub>2</sub> transition

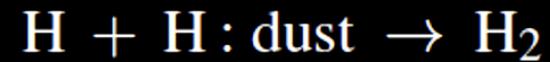


UV radiation from young stars

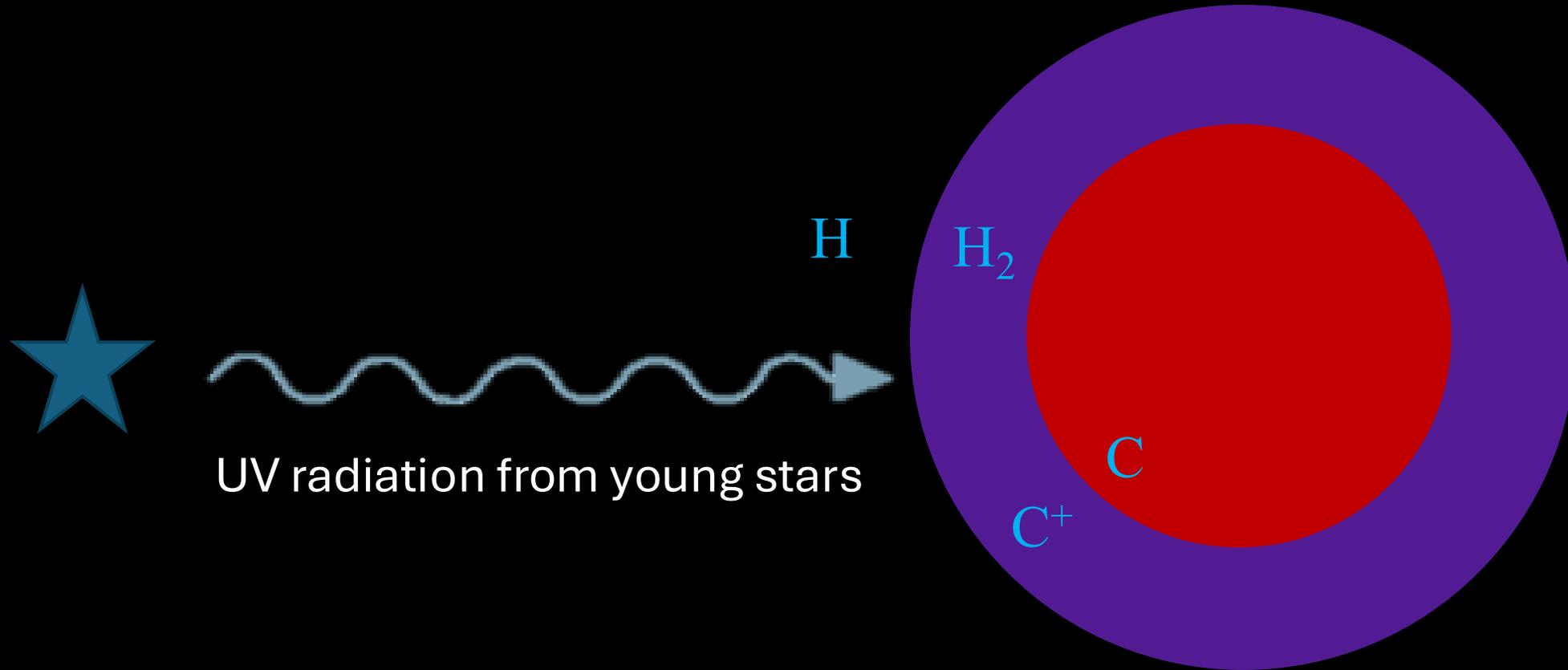
**H<sub>2</sub> destruction:** photodissociation



**H<sub>2</sub> formation:** on surfaces of dust grains



# Chemistry: CII-CI transition



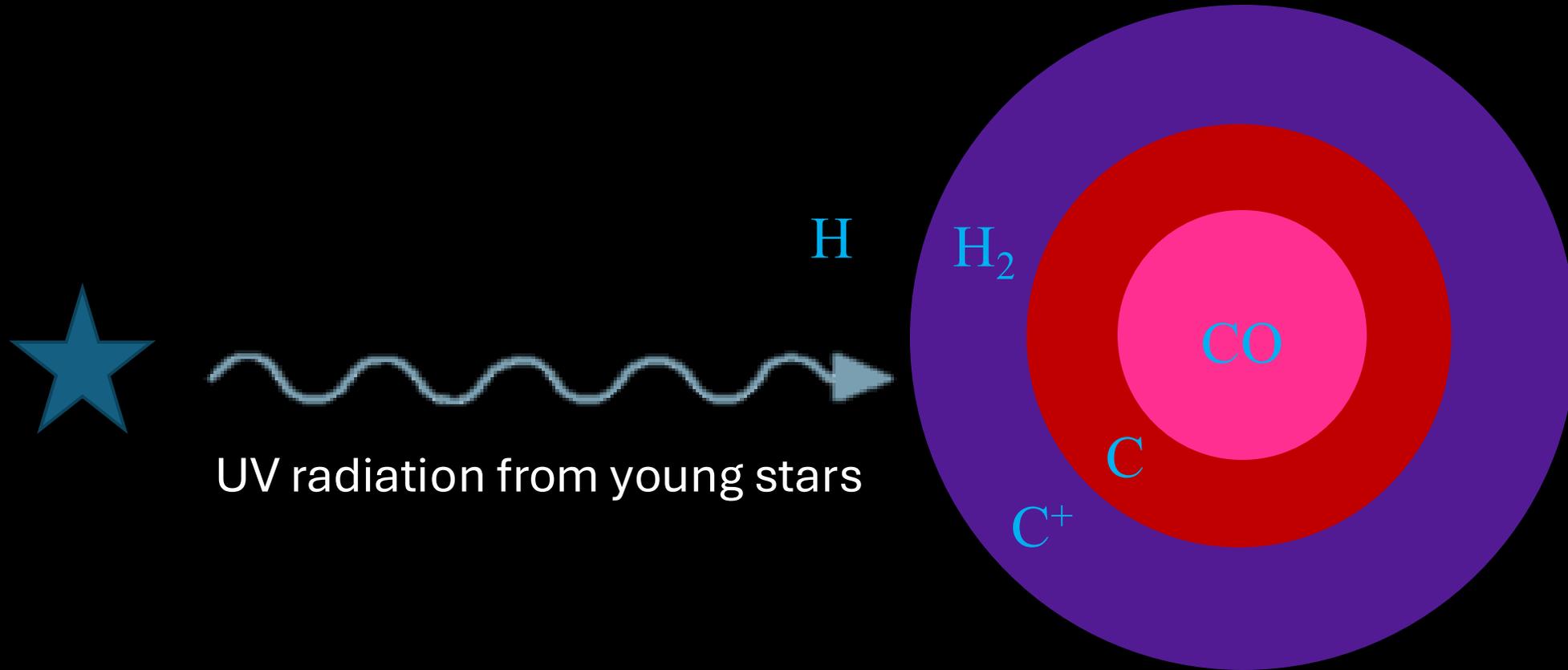
**C destruction:** photoionization



**C formation:** recombination



# Chemistry: CI-CO transition

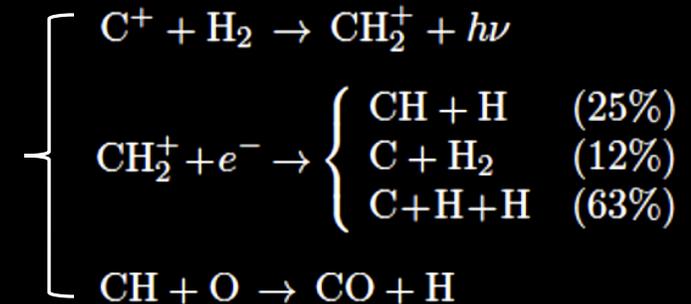


UV radiation from young stars

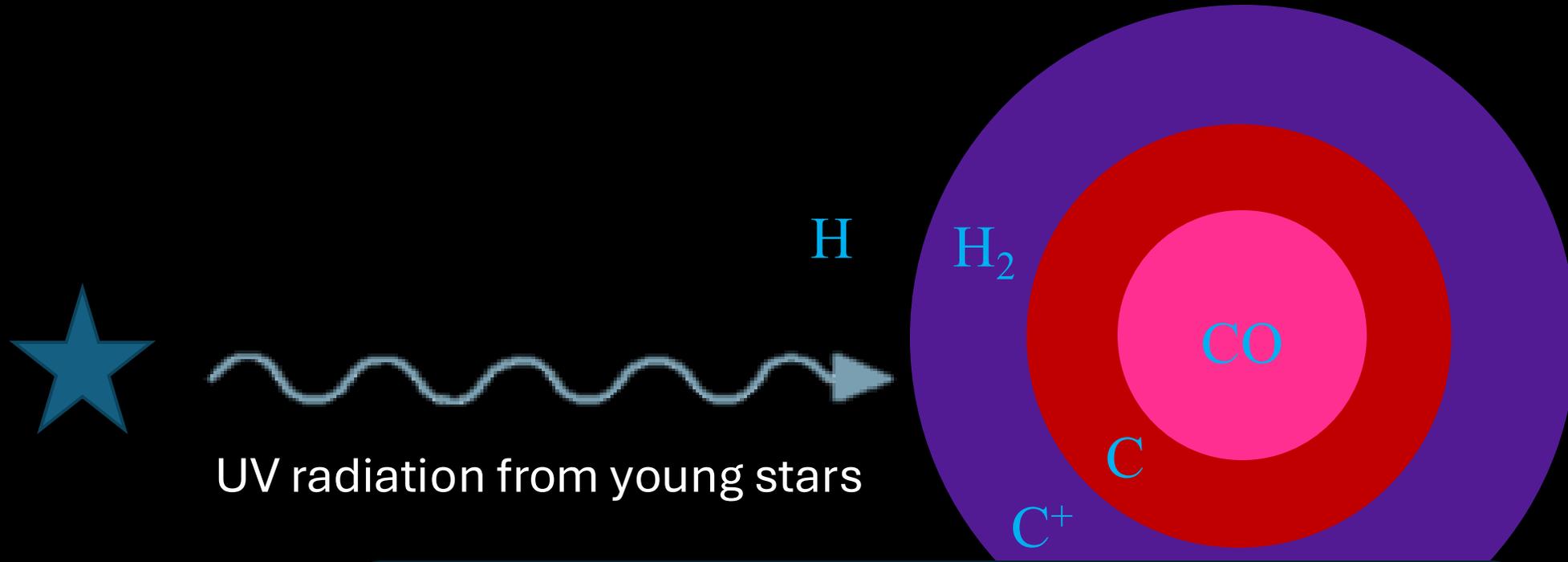
**CO destruction:** photodissociation



**CO formation:**  
requires  $\text{H}_2$ !

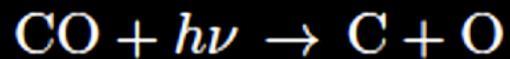


# Chemistry: CI-CO transition

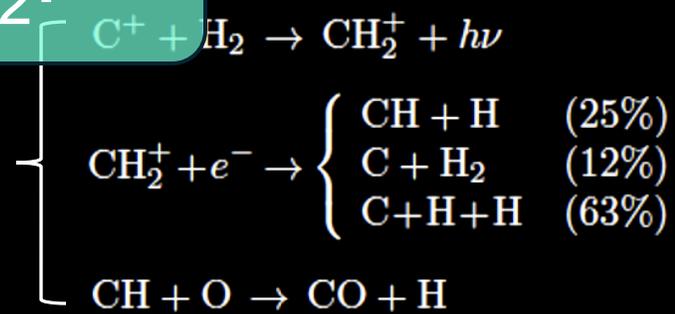


CO is expected to trace H<sub>2</sub>!

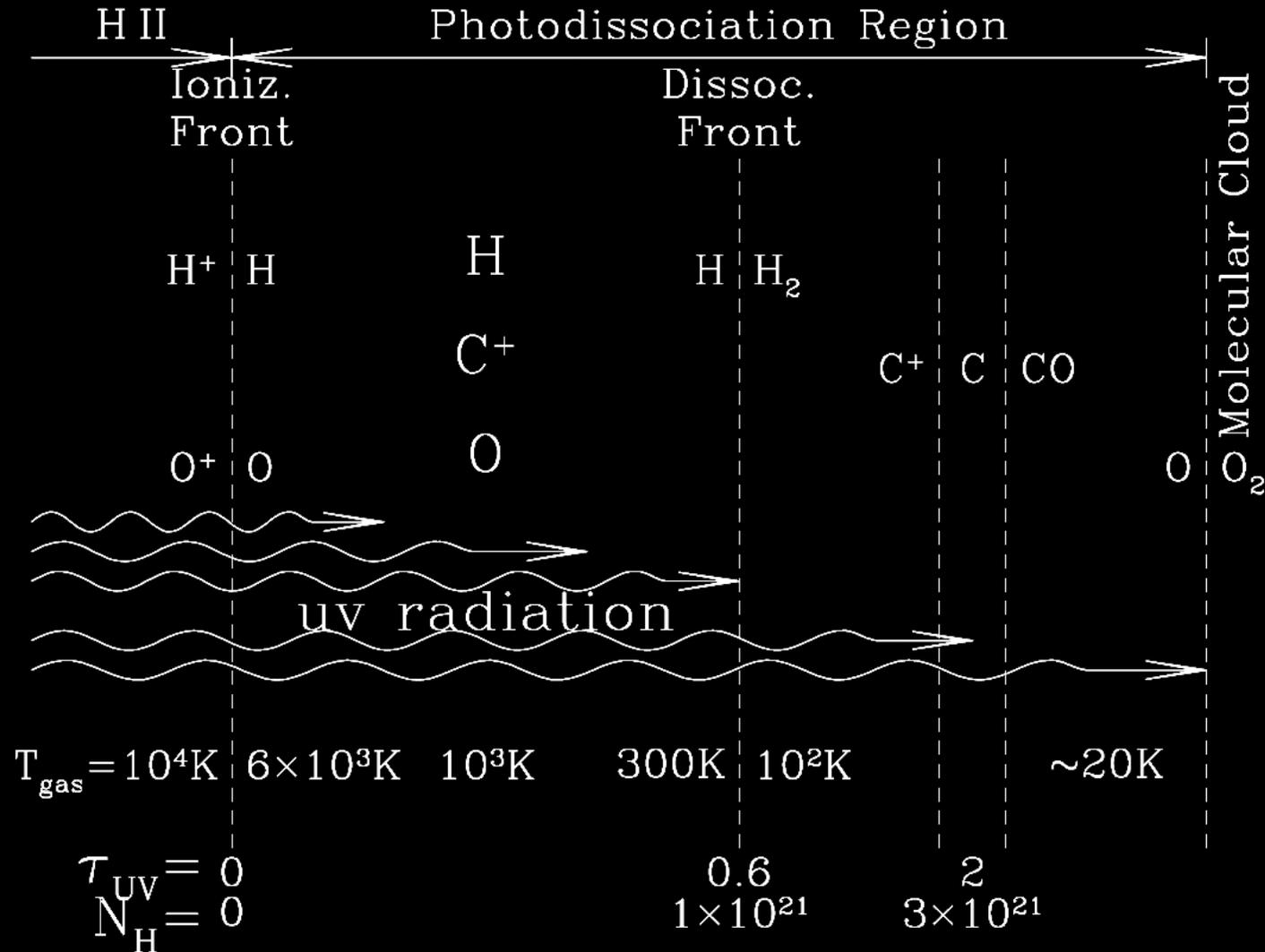
**CO destruction:** photodissociation



**CO formation:**  
requires H<sub>2</sub>!



# Structure of the photodissociation region



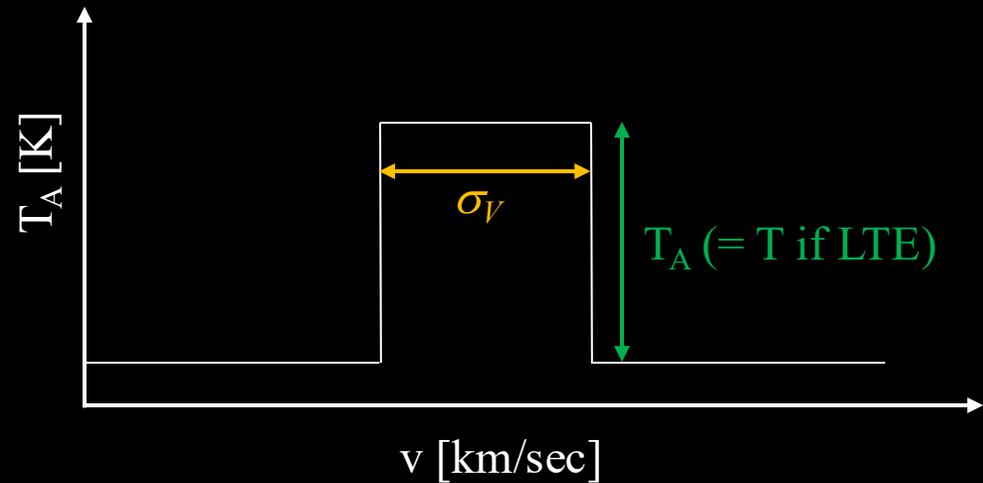
# The CO-to-H<sub>2</sub> Conversion factor

- Since CO is usually optically thick, we can only see the surface of the cloud.
- If so, how do we know how much H<sub>2</sub> is behind the surface?
- Assuming clouds are in **virial equilibrium**:

$$\sigma_V = \sqrt{GM/5R}$$

- The CO linewidth gives us an estimate of the cloud mass!

CO spectrum:



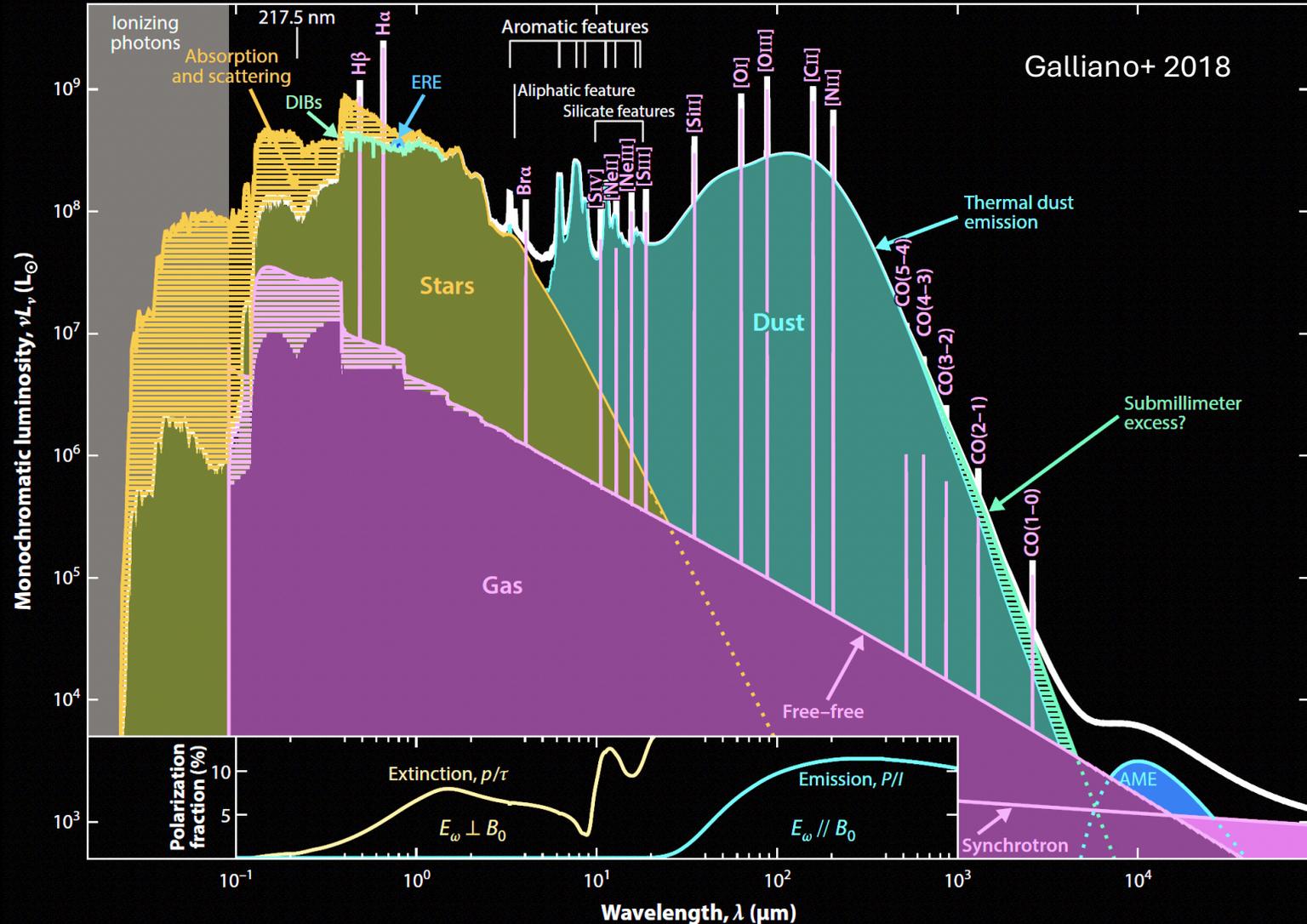
In the Milky Way

$$X_{\text{CO}} \equiv \frac{N_{\text{H}_2}}{W_{10}} = 2 \times 10^{20} \text{ cm}^{-2} (\text{K km s}^{-1})^{-1}$$

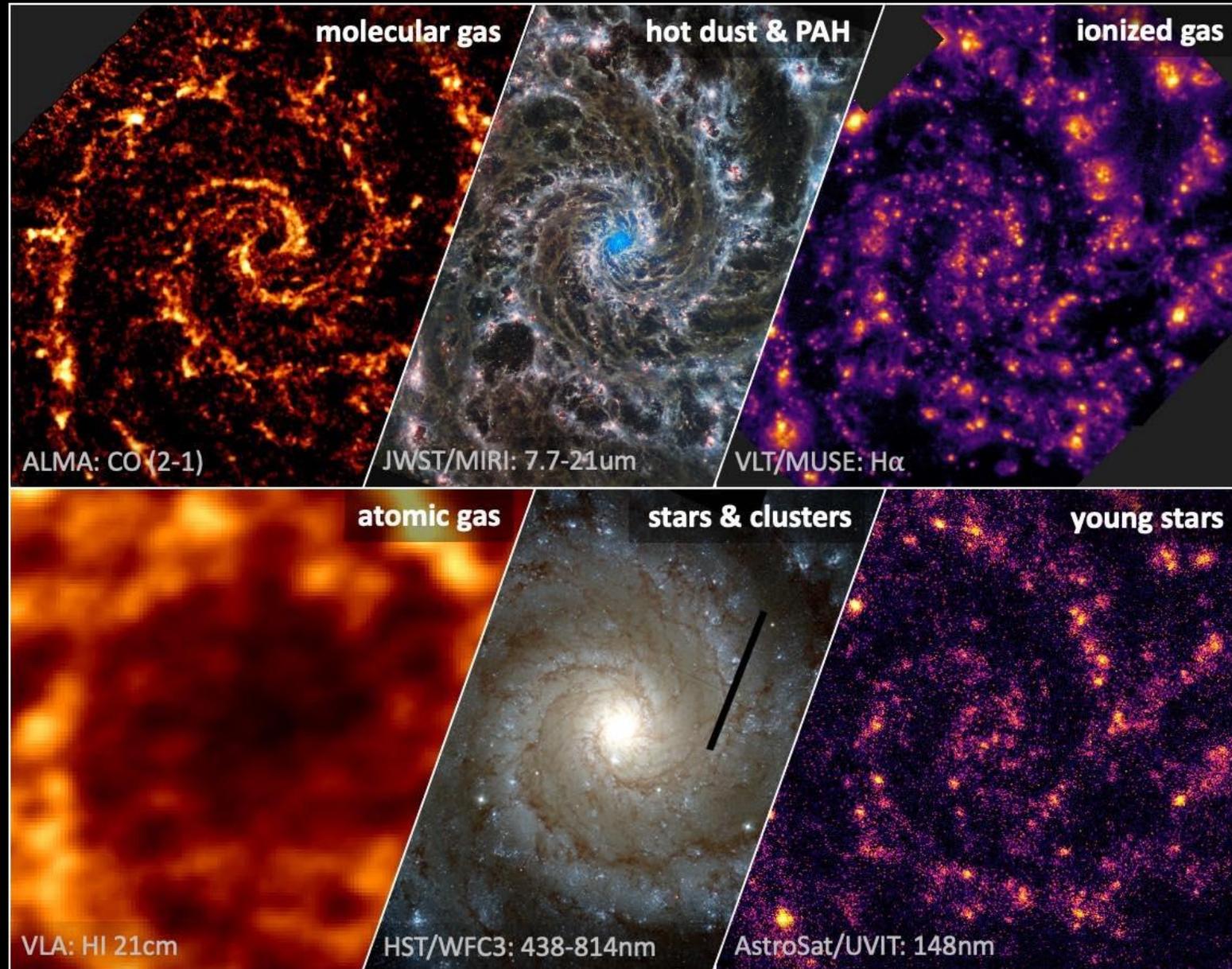
# Put it all together

- **WNM & CNM:** HI 21 cm and FIR fine-structure lines ([CII], [OI], ...)
- **WIM** (HII regions): recombination lines ( $H\alpha$ ,  $H\beta$ , ...), optical lines ([NII], [OII], [SII], ...), FIR fine-structure lines ([OIII])
- **Dust:** FIR continuum and extinction
- **Molecular clouds:** CO rotational lines
- **HIM:** X-ray

Spectral energy distribution of a typical star-forming galaxy

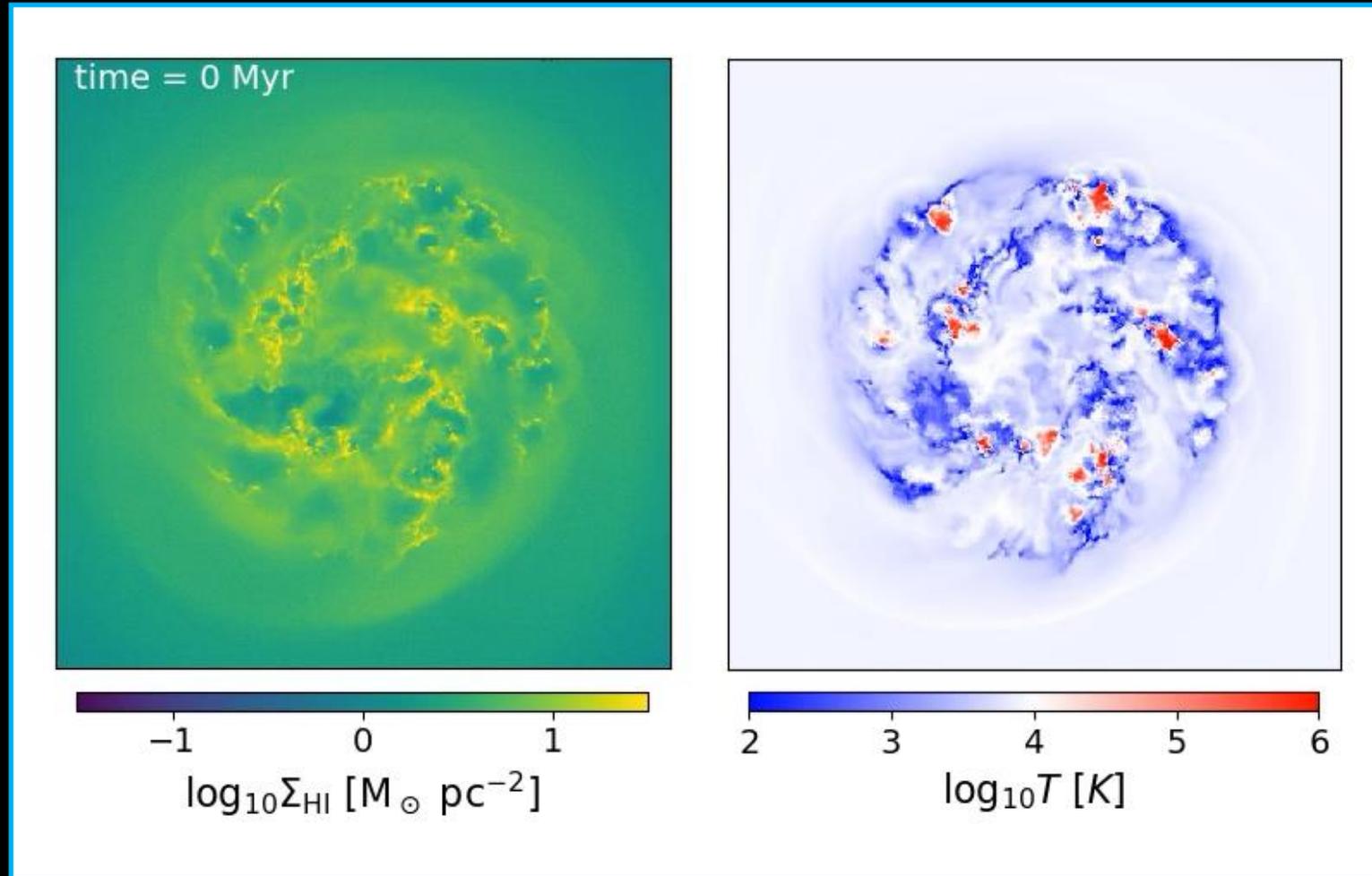
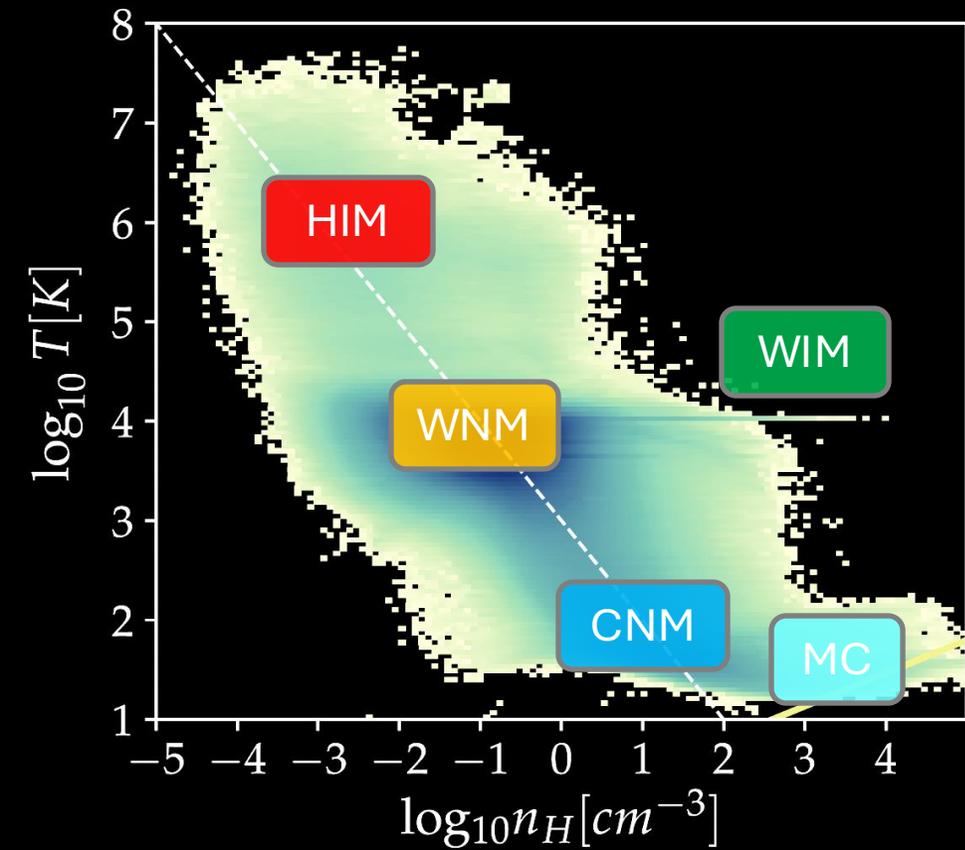


# Multiwavelength view of the ISM



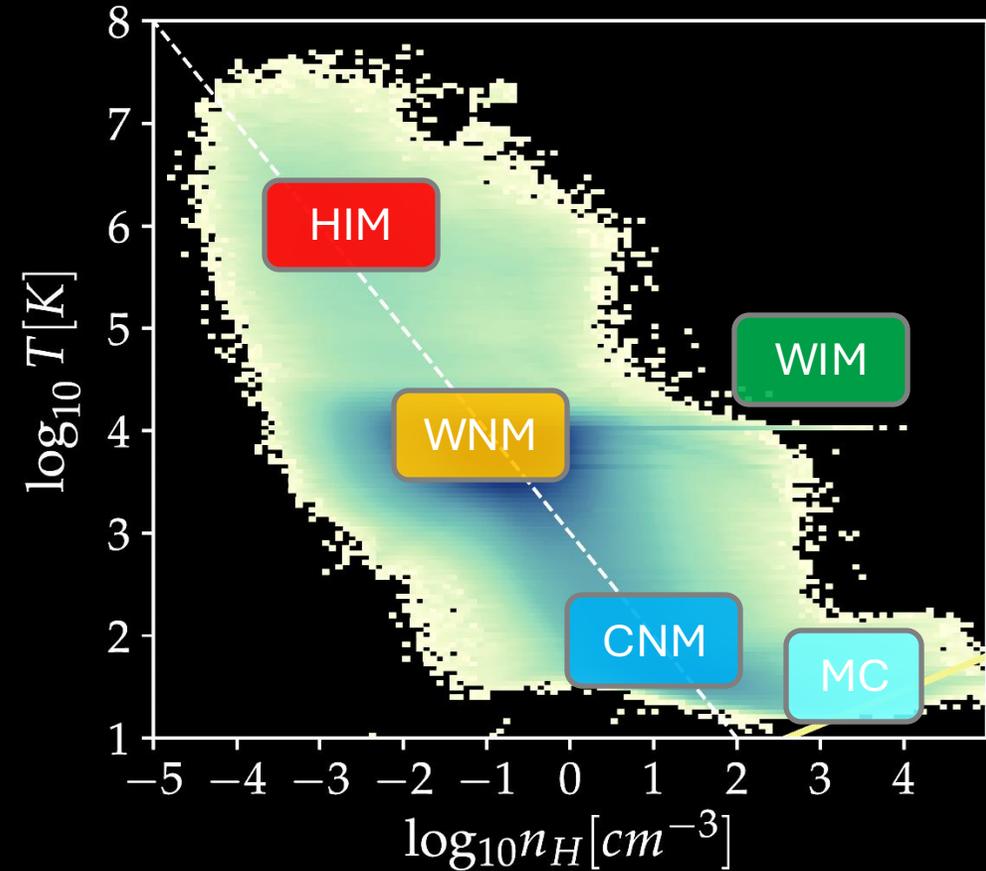


# Lifecycle of the Interstellar Medium



# Summary of the multiphase ISM

- **Warm neutral medium (WNM)** and **cold neutral medium (CNM)**:
  - main tracer: HI 21cm line, FIR fine-structure lines ([CII] & [OI])
  - thermal instability -> two stable phases
- **Warm ionized medium (WIM)**: HII regions around massive stars
  - recombination lines ( $H\alpha$ ,  $H\beta$ , ...) and forbidden lines ([OIII], [SII])
- **Molecular clouds (MC)**: site for star formation
  - $H_2$  most abundant but invisible -> traced by CO rotational lines
- **Hot ionized medium (HIM)**:
  - driven by strong shocks (stellar winds or supernovae)
- **Dust**: convert UV to FIR



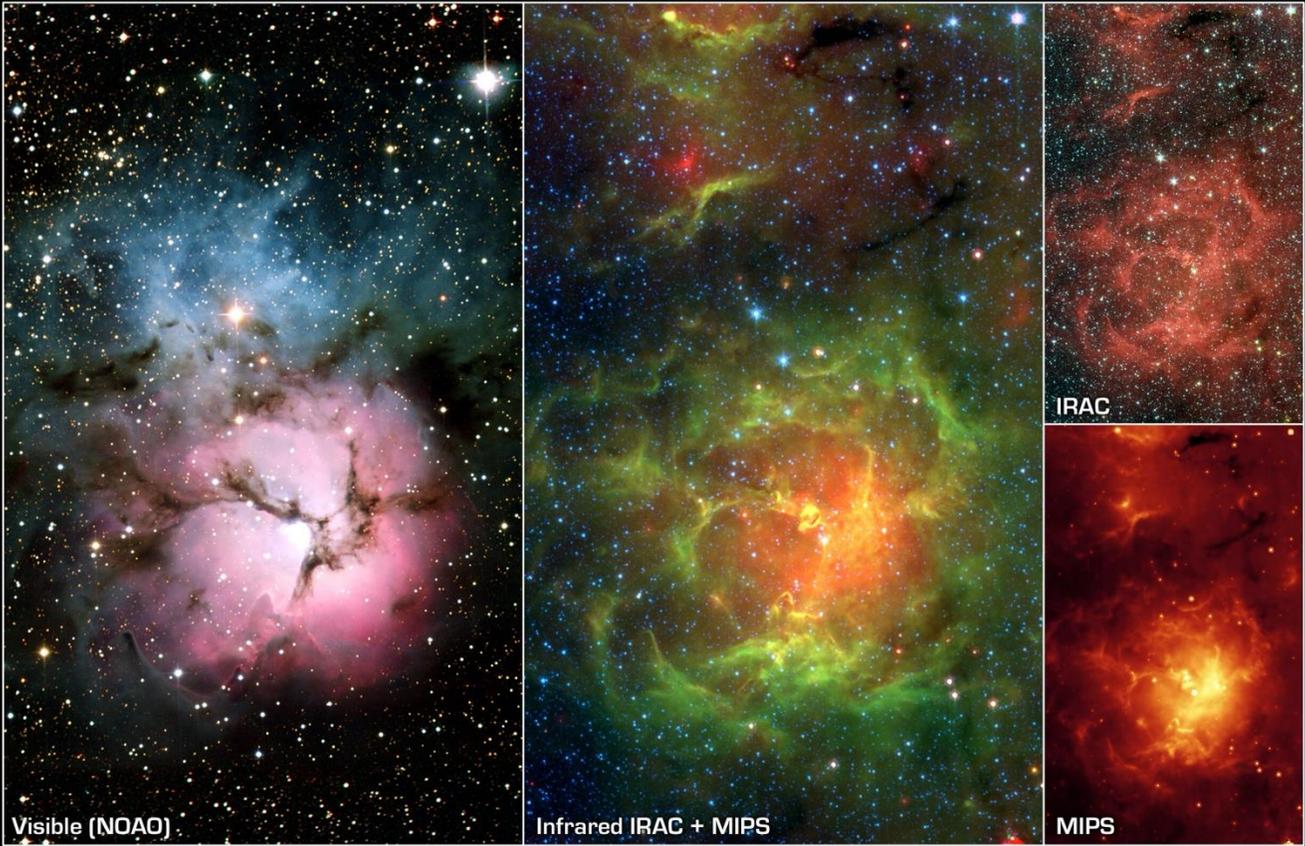
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# Backup Slides

# WIM (HII region)

HII regions

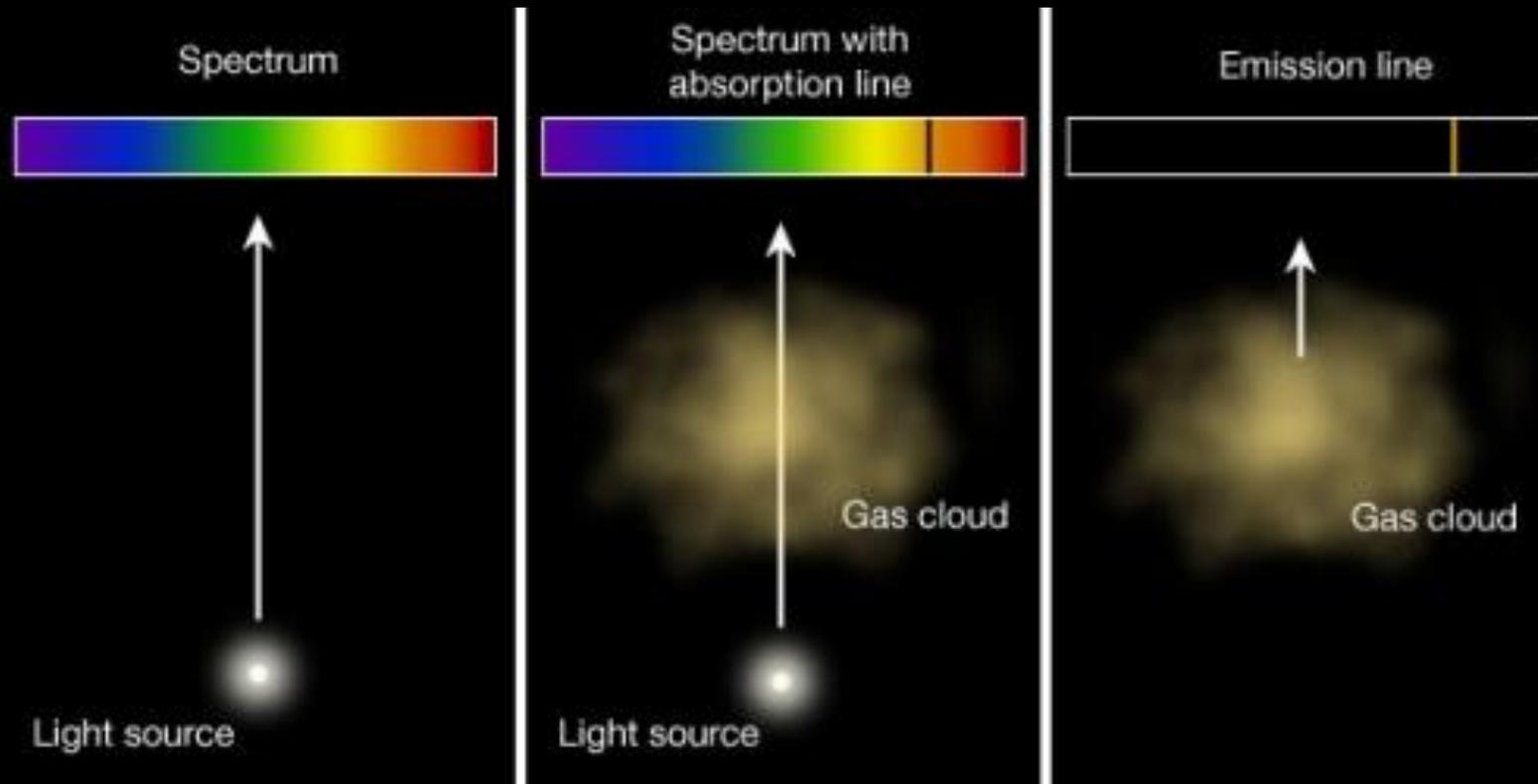


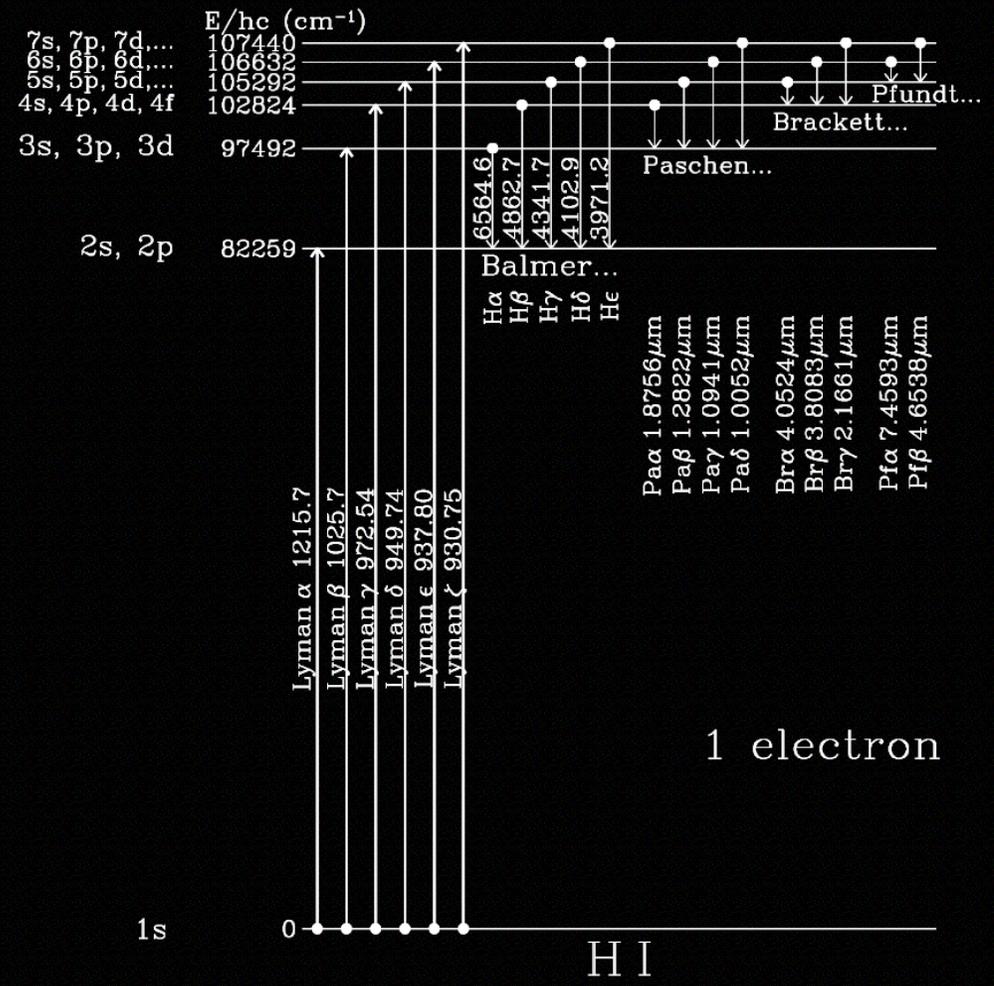
Trifid Nebula/Messier 20  
NASA / JPL-Caltech / J. Rho (SSC/Caltech)

Spitzer Space Telescope • IRAC + MIPS  
ssc2005-02a

# CNM

21cm emission is observed along every line of sight, but 21cm absorption is not.





# Dust composition

- We can infer the composition of dust from the features (bumps) of the extinction curve!

